Insights into the cold QCD medium

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From Quarks and Gluons to the Internal Dynamics of Hadrons workshop

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Proton-proton collisions

At large momentum transfer in pp, scale $Q \gg \Lambda_{QCD} \approx 200$ MeV

$$pp \rightarrow \gamma^{\star}/Z^{0} \rightarrow \ell^{+}\ell^{-} + X$$
 (Drell-Yan)

Factorization of cross section = approximation

$$\frac{\mathrm{d}\sigma_{\mathrm{pp}}}{\mathrm{d}y\mathrm{d}Q} = \sum_{i,j} \int \mathrm{d}x_1 f_i^{\mathsf{p}}\left(x_1,\mu\right) \int \mathrm{d}x_2 f_j^{\mathsf{p}}\left(x_2,\mu\right) \frac{\mathrm{d}\hat{\sigma}_{ij}\left(x_1,x_2,\mu'\right)}{\mathrm{d}y\mathrm{d}Q} + \mathcal{O}\left(\frac{\Lambda_{\mathrm{p}}^n}{Q^n}\right)$$

- *σ̂_{ij}*: partonic cross section calculable in perturbation theory;
 x₁, x₂: fraction of momentum carried by the parton in proton;
- $f_{i,j}$: Parton Distribution Function (PDF), **universal**.

Proton-nucleus collisions

Cross section in pA collisions assuming collinear factorization

$$\frac{\mathrm{d}\sigma_{\mathrm{pA}}}{\mathrm{d}y\mathrm{d}Q} = \sum_{i,j} \int \mathrm{d}x_1 f_i^{\mathsf{p}}\left(x_1,\mu\right) \int \mathrm{d}x_2 f_j^{\mathsf{A}}\left(x_2,\mu\right) \frac{\mathrm{d}\hat{\sigma}_{ij}\left(x_1,x_2,\mu'\right)}{\mathrm{d}y\mathrm{d}Q} + \mathcal{O}\left(\frac{\Lambda_{\mathsf{A}}^n}{Q^n}\right)$$

Probing the PDF of a nucleus (without nuclear effects)

$$f_i^{\mathsf{A}} = Zf_i^{\mathsf{p}} + (A - Z)f_i^{\mathsf{n}}$$

$$\sigma_{\mathrm{pA}} = Z\sigma_{\mathrm{pp}} + (A - Z)\sigma_{\mathrm{pn}} \approx A\sigma_{\mathrm{pp}}$$

Investigate nuclear effects via

$$R_{\rm pA} \equiv \frac{1}{A} \frac{{\rm d}\sigma_{\rm pA}}{{\rm d}\sigma_{\rm pp}} \approx 1$$

Let's now study the data in hadron-nucleus collisions

Proton-nucleus collisions

Why study these data:

- a laboratory to study QCD from SPS to LHC energies;
- to probe the boundaries of collinear factorization in the nucleus;
- important for better understanding the formation of QGP.

Effects of cold nuclear matter:

- Nuclear PDF (nPDF);
- Radiative energy loss ;
- Broadening of p_{\perp} ;
- Nuclear absorption etc.



Nuclear parton distribution functions I (initial state)

- 1. EMC effect discovered in 1983 in DIS on nuclear targets
- 2. **PDF** is modified in nuclei : $f_i^{p/A} \neq f_i^p$



The nuclear modification factor depends on x₂;
 At x₂ ≤ 10⁻³ : shadowing.

Nuclear parton distribution functions II (initial state)

- $R_j^A = f_j^{p/A}/f_j^p$ via a global fit assumed to be universal
- Factorization leads to x_2 scaling: $R_{\rm pA} = R_{\rm pA} (x_2, \sqrt{s}) = R_{\rm pA} (x_2)$

	EPS09	DSSZ	nCTEQ	EPPS16	EPPS21
e-DIS	√	\checkmark	\checkmark	\checkmark	√
ν-DIS		\checkmark		\checkmark	√
Drell-Yan pA	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
RHIC hadrons	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
LHC data pA (QED)				\checkmark	√
Drell-Yan πA				\checkmark	\checkmark
LHC data pA (D mesons)					\checkmark

Data from proton-nuclei collisions are used for the global fit.

Can there be other nuclear effects in these collisions ?

Nuclear absorption I (final state)

- Multiple scattering of $Q\bar{Q}$ bound state within the nucleons
- Characterised by the nuclear absorption cross section σ_{abs}^{QN}

Condition for quarkonium formation time inside nuclei

$$t_{had} = \gamma au_{had} = rac{E}{M_Q} au_{had} \lesssim L$$



The absorption survival probability by the medium computed as

$$S(\sigma_{\rm abs}, L_{\rm A}) = e^{-
ho\sigma_{\rm abs}L_{\rm A}}$$

The pA cross section can be written like

$$\mathrm{d}\sigma^{\mathrm{hA}} = \mathcal{S}\left(\sigma_{\mathrm{abs}}, \mathrm{L}_{\mathrm{A}}\right) \times \mathrm{d}\sigma^{\mathrm{hp}} \times \mathrm{A}$$

Nuclear absorption II (final state) Data explained by nuclear absorption?



x_F^{abs}: threshold below which J/ψ is produced in the nucleus;
 Possible absorption effect only at low beam energy.

No nuclear absorption at LHC

Energy loss effects

High-energy partons lose energy via soft gluon radiation due to re-scattering in the nuclear medium



Energy loss effects

$$\frac{dN^{out}(E)}{dE} = \int_{\epsilon} \mathcal{P}(\epsilon, E) \frac{dN^{m}(E+\epsilon)}{dE}$$

 $\mathcal{P}(E, \epsilon)$: probability distribution in the energy loss given by QCD

Energy loss effects

High-energy partons lose energy via soft gluon radiation due to re-scattering in the nuclear medium



Can affect differently hard processes:

1. Drell-Yan process: $hA \rightarrow \ell^+ \ell^- + X$

Initial state radiation

2. Charmonium production:

 $hA \rightarrow c\bar{c} (\rightarrow J/\psi) + X$

- Initial state radiation
- Final state radiation
- Interferences initial/final state radiation

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Parton energy loss regimes

Initial or final state for $t_f \lesssim L$

 $\langle\epsilon
angle_{\rm LPM}\propto lpha_{s}\hat{\pmb{q}}\,L^{2}$

hA → $\ell^+\ell^-$ + X (DY): Arleo, Naïm, Platchov, JHEP01(2019)129
 eA → e + h + X (SIDIS)

Interference initial and final state for $t_f \gg L$

$$\langle \epsilon
angle_{\mathsf{FCEL}} \propto \sqrt{\hat{q}L}/M \cdot E \gg \langle \epsilon
angle_{\mathit{LPM}}$$

▶ $hA \rightarrow [Q\bar{Q}]_8 + X$ (Quarkonium): Arleo, Peigne, PRL.109.122301

Transport coefficient : scattering property of the medium

$$\hat{q}(x) = \frac{4\pi^2 \alpha_s N_c}{N_c^2 - 1} \rho x G(x) = \hat{q}_0 \left[\frac{10^{-2}}{x} \right]^{0.3}$$

Broadening effect

 p_{\perp} spectra: an other observable to probe transport properties

$$\Delta p_{\perp}^2 = \left\langle p_{\perp}^2 \right\rangle_{\rm hA} - \left\langle p_{\perp}^2 \right\rangle_{\rm hp} = \frac{C_R + C_{R'}}{2N_c} \left(\hat{q}_{\rm A} L_{\rm A} - \hat{q}_{\rm p} L_{\rm p} \right)$$



- The p_{\perp} spectra is modified in pA compared to pp collisions;
- This quantity is also related to \hat{q} .

The complete picture is: energy loss and broadening.

Proton-nucleus collisions: a puzzle! Empirical observations:



Interpretation:

- The gluon's nPDF shows significant error bands;
- Energy loss model describes the suppression of J/ψ .

Difficult interpretation due to the models' error bands

Proton-nucleus collisions: quarkonium suppression

 J/ψ suppression in world data:



Arleo, Naïm, JHEP01(2019)129

• J/ψ suppression depends on the collision energy;

▶ No scaling as a function of x_2 : $R_{pA} = R_{pA} (x_2, \sqrt{s}) \neq R_{pA} (x_2)$.

Proton-nucleus collisions: DY at fixed-target energies I

Drell-Yan suppression at fixed-target energies:



Arleo, Naïm, JHEP01(2019)129

No scaling as a function of x_2 as for J/ψ production.

Proton-nucleus collisions: DY at fixed-target energies II



Po-Ju Lin, PhD thesis (2017), Arleo, Naïm, JHEP01(2019)129

Clear disagreement between data and nPDF calculation,

Energy loss model exhibits a strong suppression at large x_F.

Proton-nucleus collisions: DY at LHC energy Drell-Yan in pPb at $\sqrt{s}=8.16~\text{TeV}$



CMS-PAS-HIN-18-003

- No suppression observed;
- Initial-state energy loss is suppresed at high beam energy.

Proton-nucleus collisions: a common effect? Global broadening analysis:



Arleo, Naïm, JHEP07(2020)220

• **Remarkable scaling** from low to high energies \rightarrow common effect

What puzzle!

Proton-nucleus collisions: pA data for nPDF global fit? LHCb data: $pA \rightarrow D^0 + X$, $10^{-5} \lesssim x \lesssim 10^{-2}$



 Large nPDF uncertainties: can one effect hide others?
 Broadening effect on D mesons: 2 → 2 kinematic Laine, Arleo, Naim, work ongoing

Include nPDF and energy loss

 Υ suppression: ATLAS, CMS, ALICE and LHCb



nPDF including the FCEL effect



- Energy loss and nPDF fit;
- Significative impact on the shadowing amplitude.

A simple summary?

- Drell-Yan
 - ▶ nPDF: √ ;
 - ► Initial-State Energy Loss: × (only FT energy);
 - ► Final-State Energy Loss: ×;
 - ▶ p_{\perp} -broadening: \checkmark ;
 - Nuclear Absorption: X.

Quarkonium

- ▶ nPDF: √ ;
- ► FCEL: √ (all energies);
- ▶ p_{\perp} -broadening: \checkmark ;
- Nuclear Absorption: × (only FT energy, at small x_F).

SIDIS

- ▶ nPDF: √ ;
- Initial State Energy Loss: ×;
- Final-State Energy Loss: × (only FT energy);
- ▶ p_{\perp} -broadening: \checkmark ;
- ▶ Nuclear Absorption: × (only FT energy, at large z).

What can we do with EIC?

Processes

$$\begin{array}{l} \mathsf{eA} \rightarrow \mathsf{e} + \mathsf{h} + \mathrm{X} \text{ (SIDIS)} \\ \mathrm{eA} \rightarrow \mathsf{e} + \mathrm{X} \text{ (DIS)} \end{array}$$

CNM effects:

- nPDF: up to $x \sim 10^{-4}$;
- p_{\perp} -broadening: • $\Delta p_{\perp}^2 = \hat{q}L \propto G(x, Q_s^2)L_A \propto x^{-\alpha} \quad (\alpha \sim 0.3).$

Interests:

- Precise (~ 10% ?) and reliable extraction of nPDF at small x;
- Evidence for physics beyond nPDF from the direct comparison of forward hadron production in pA collisions and SIDIS;
- Probing saturation physics at small x.

Conclusion

1. Energy loss effects can explain data

- 2. Ignoring FCEL in nPDF global fits leads to wrong nPDF extractions
- 3. nPDF global fit strategy should either:
 - exclude measurements of hadron production in pA collisions;
 - ▶ include FCEL in the theoretical framework.
- 4. EIC data will be crucial to compare to LHC pA data:
 - test the universality of the cold QCD!

J/ψ suppression from E866/NuSea

Data explained by nPDF ?



nPDF alone cannot explain E866 J/ψ at $\sqrt{s} = 38.7$ GeV

Method to extract the broadening

Definition

$$\langle p_T^2 \rangle \equiv \frac{\int_0^\infty p_T^2 \frac{d\sigma}{dp_T} dp_T}{\int_0^\infty \frac{d\sigma}{dp_T} dp_T} \text{ and } \Delta p_T^2 \equiv \langle p_T^2(A) \rangle - \langle p_T^2(B) \rangle \text{ (GeV}^2)$$

▶ 1st method : Kaplan fit

$$\frac{\mathrm{d}\sigma}{\mathrm{d}p_{\mathsf{T}}} = \mathcal{N}\left(\frac{\mathsf{p}_0^2}{\mathsf{p}_0^2 + \mathsf{p}_{\mathsf{T}}^2}\right)^{\mathsf{n}}$$

▶ 2nd method : Bin summation

$$\langle p_{T}^{2} \rangle \approx \frac{\sum_{i=1}^{n} p_{T}(i)^{2} \frac{d\sigma}{dp_{T}}(i) dp_{T}(i)}{\sum_{i=1}^{n} \frac{d\sigma}{dp_{T}}(i) dp_{T}(i)}$$

where "n" is the bin number

 \rightarrow Observable independent of normalisation

Other nuclear effects in the broadening calculation

For this study, we considered only the broadening effect but ...

- 1. Energy loss effect
 - Affects only the normalisation of R_{pA} (p_T)
 - Cancellation in Δp_{\perp}^2
- 2. nPDF effect

▶ $0 < p_{\perp} \lesssim M$: fixed target experiment, cancellation in Δp_{\perp}^2 ▶ $p_{\perp} \gtrsim M$: LHC case, very large error bar in gluon sector but

$$\frac{\mathrm{d}\sigma_{\mathrm{hA}}^{\mathrm{nPDF}}}{\mathrm{d}p_{\perp}} = \underbrace{R_{i}^{\mathrm{A}}\left(x_{2}\left(p_{\perp}\right),Q^{2}\right)}_{\mathrm{H}_{\mathrm{A}}} \times \frac{\mathrm{d}\sigma_{\mathrm{hp}}}{\mathrm{d}p_{\perp}}$$

if only normalisation : cancellation in Δp_{\perp}^2

Quarkonium production model

CEM model formalism

$$\sigma(pp \to Q + X) = \sum_{i,j,n} \int \int dx_1 dx_2 f_{i/p} f_{j/p} \times \hat{\sigma}[ij \to c\bar{c}X]$$
$$\approx \int dx_1 dx_2 g_p g_p \times \hat{\sigma}[gg \to c\bar{c}X]$$

NRQCD model formalism

$$\sigma(pp \to Q + X) = \sum_{i,j,n} \int dx_1 dx_2 f_{i/p} f_{j/p} \times \hat{\sigma} \left[ij \to (Q\bar{Q})_n + x \right] \left\langle 0 \left| \mathcal{O}_n^Q \right| 0 \right\rangle$$
$$\approx \int dx_1 dx_2 g_p g_p \times \hat{\sigma} \left[gg \to (Q\bar{Q})_n + x \right] \left\langle 0 \left| \mathcal{O}_n^Q \right| 0 \right\rangle$$

$$R_{\mathrm{pA}} \equiv rac{1}{A} rac{\mathsf{d}\sigma_{\mathrm{pA}}}{\mathsf{d}\sigma_{\mathrm{pp}}} pprox rac{G^A}{g^P}$$