EPPS views on nuclear PDFs

Hannu Paukkunen

University of Jyväskylä, CoE in Quark Matter Helsinki Institute of Physics

Cold Nuclear Matter Effects: from LHC to EIC, Jan 14th 2025



Collinear factorization in collisions involving nuclei



PDFs & FFs obey the linear DGLAP renormalization group equations (resums collinear radiation)

$$\frac{df_i^A(x,Q^2)}{d\log Q^2} = \frac{\alpha_s(Q^2)}{2\pi} \int_x^1 \frac{dz}{z} P_{ik}\left(\frac{x}{z}\right) f_k^A(x,Q^2) + \mathcal{O}\left(\frac{Q_s^2}{Q^2}\right)$$

Nuclear effects first discovered in deeply inelastic scattering (DIS)...

Nuclear effects in hard processes first observed in deep inelastic scattering in the 80's:



 $\bullet\,$ The very same pattern of nuclear effects has been seen at the LHC in $\rm p\mbox{-}Pb/p\mbox{-}p$



[ALICE COLL., JHEP 05 (2023) 036]

[KLASEN & PAUKKUNEN, ANN. REV. OF NUCL. PART. SCI. VOL. 74, 2024]



• Global analysis: To what extent these effects due to the modified structure of nucleons?

The kinematic/virtuality reach in global analysis of nuclear PDFs

- The variety & precision of data begins to be high enough to challence the picture of collinear factorization and to look for e.g.
 - onset of non-linear dynamics
 - partonic energy loss
 - collectivity in small systems

- . . .

in p-Pb type collisions

- Non-factorizable non-universal effects should become visible in global fits, $\chi^2/N_{\rm data}\gg 1$
- Global analysis of nuclear PDFs can be seen as a search for these effects – not something that overlooks them



[KLASEN & PAUKKUNEN, ANN. REV. OF NUCL. PART. SCI. VOL. 74, 2024]

Klasen M, Paukkunen H. 2024 Annu. Rev. Nucl. Part. Sci. 74:49–87

Electroweak boson production

• The CMS p-Pb 8.16TeV W[±]-bosons [Рнуз.LETT.В 800 (2020) 135048] vs. global fits



- At the parametrization scale these data constrain almost exclusively gluons [EUR.PHYS.J.C 82 (2022) 3, 271]
- The long lever arm in rapidity helps to tame the normalization uncertainty

H. Paukkunen (Jyväskylä Univ.)

EPPS views on nuclear PDFs

• A precision dijet observable by CMS [PHYS.Rev.Lett. 121 (2018) 6, 062002]

$$rac{d^2 \sigma^{
m pp}}{dp_{
m T}^{
m ave} d\eta_{
m dijet}} \left(rac{d\sigma^{
m pp}}{dp_{
m T}^{
m ave}}
ight)^-$$



• NLO QCD differs significantly from the data. NNLO? Resummation due to smallish cone R = 0.3?

• A precision dijet observable by CMS [PHYS.Rev.Lett. 121 (2018) 6, 062002]

$$rac{d^2 \sigma^{
m pp}}{dp^{
m ave}_{
m T} d\eta_{
m dijet}} \left(rac{d\sigma^{
m pp}}{dp^{
m ave}_{
m T}}
ight)^-$$



Can improve (but not cure) the description by refitting the proton PDFs (reweighting/profiling)

• A precision dijet observable by CMS [PHYS.REV.LETT. 121 (2018) 6, 062002]

$$\frac{d^2 \sigma^{\rm pPb}}{l p_{\rm T}^{\rm ave} d \eta_{\rm dijet}} \left(\frac{d \sigma^{\rm pPb}}{d p_{\rm T}^{\rm ave}}\right)^{-}$$

1



• The p-Pb data show similar differences w.r.t NLO calculation as p-p



EPPS21 and nNNPDF3.0 accommodate these data in the fits except the most forward data points



EPPS21 and nNNPDF3.0 accommodate these data in the fits except the most forward data points

• The 8 TeV CMS measurement on the way [NIGMATKULOV, HARD PROBES'24']



Grigory Nigmatkulov, Hard Probes 2024

• Open heavy flavour in p-Pb collisions used in EPPS, nCTEQ and nNNPDF global fits



- Differing theoretical setups:
 - Fixed-order + Pythia parton shower [Frixione et.al. JHEP 0709, 126] Used in nNNPDF fits
 - General-mass variable-flavour-number scheme (GM-VFNS) Used in EPPS fits [KNIEHL ET.AL PRD71, 014018; HELENIUS, PAUKKUNEN, JHEP 1805 (2018) 196]
 - Matrix-element fitting [Lansberg, Shao, EUR.PHys.J.C 77 (2017) 1, 1] Used in nCTEQ fits

• LHCb p-p cross sections well reproduced by the GM-VFNS approach (SACOT-m_T scheme)



• Sizable theory uncertainties at low $p_{\rm T}$ – nearly all cancel in $\sigma_{\rm pPb}/\sigma_{\rm pp}$ for $p_{\rm T}>3\,{\rm GeV}$ [ESKOLA ET.AL. JHEP 05 (2020) 037]

Open heavy-flavour in GM-VFNS – comparison with the LHCb 5 TeV D^0 p-Pb data

• In EPPS21 we fitted to LHCb 5 TeV D⁰ p-Pb data [LHCB COLL., JHEP 10 (2017) 090]



Good fit across a wide range of kinematics – no tensions with the dijets

Open heavy-flavour in GM-VFNS – comparison with the LHCb 8 TeV D^0 p-Pb data

• LHCb 8 TeV D⁰ p-Pb data [LHCB COLL., PRL 131 (2023) 10, 102301] contradicts in the backward direction



• No nuclear PDF can fit the 5 TeV and 8 TeV data simultaneously at y < 0

Open heavy-flavour in GM-VFNS – comparison with the LHCb 8 TeV D^0 p-Pb data

• The 8 TeV p-p reference data interpolated - check the forward-to-backward ratio



• The data prefer a stronger \sqrt{s} dependence – in the backward direction in particular

 $\bullet\,$ Evidence of enhanced baryon yields low $p_{\rm T}$ vs. LEP/HERA



- Could categorize this as a higher-twist effect in baryon production?
- If yes, why isn't it enhanced in p-Pb vs. p-p?

GMVFNS CALCULATION WOULD BE A NEARLY CONSTANT CURVE • Absolute p-p cross sections vs. GM-VFNS (SACOT-m_T scheme)



The p-p baseline well reproduced within the uncertainties

Nuclear modifications



• No similar discrepancy as in the case of $8 \, {\rm TeV}$ D mesons

• More data for e.g. $B \rightarrow J/\psi$ decay channel – not yet implemented in our setup

Nuclear PDFs from exclusive J/ψ production in ultraperipheral Pb-Pb?

• Exclusive J/ψ production very sensitive to nuclear (generalized) PDFs



• The PDFs enter at the level of matrix element

$$\mathcal{M}^{\gamma A \to J/\psi A} \sim f^A_{\mathrm{gluon}}(\mu) \otimes T_g(\mu) + f^A_{\mathrm{quark}}(\mu) \otimes T_q(\mu)$$

$$T_q(\mu)$$
 Pb $F^i(x,\xi,t)$ O_i

WW

Quadratic dependence of PDFs at the level of cross section

Pb

Significantly large scale dependence still at NLO

$$\mathcal{M}^{\gamma A \to J/\psi A} \sim f^A_{\mathrm{gluon}}(\mu) \otimes T_g(\mu) + f^A_{\mathrm{quark}}(\mu) \otimes T_q(\mu)$$



• Need to implement resummation of log(1/x) terms to bring the calculation under a better control?

[Flett et.al., Phys.Lett.B 859 (2024) 139117]

Nuclear PDFs from exclusive J/ψ production in Pb-Pb?

• Significantly large scale dependence still at NLO

$$\mathcal{M}^{\gamma A \to J/\psi A} \sim f^A_{
m gluon}(\mu) \otimes T_g(\mu) + f^A_{
m quark}(\mu) \otimes T_q(\mu)$$



Perturbatively unstable: only gluons at LO – quarks dominate at NLO

quarks enter at NLO

Nuclear PDFs from exclusive J/ψ production in Pb-Pb?

• Significantly large scale dependence still at NLO

quarks enter at NLO

$$\mathcal{M}^{\gamma A \to J/\psi A} \sim f_{\mathrm{gluon}}^{A}(\mu) \otimes T_{g}(\mu) + f_{\mathrm{quark}}^{A}(\mu) \otimes T_{q}(\mu)$$



• nCTEQ15WZSIH reproduces the shape due to its hugely enhanced strange-quark PDFs!

Nuclear PDFs from dijets in ultraperipheral Pb-Pb collisions?

Photoproduction of dijets potentially a good constraint on nuclear PDFs



[ATLAS Coll., 2409.11060]



Nuclear PDFs from dijets in ultraperipheral Pb-Pb collisions?

Photoproduction of dijets potentially a good constraint on nuclear PDFs



 Nuclei in UPCs often approximated as point-like (PL) objects – not always the most optimal approximation



Nuclear PDFs from dijets in ultraperipheral Pb-Pb collisions?

Photoproduction of dijets potentially a good constraint on nuclear PDFs



 The neutron-class selection introduces additional modeling uncertainty

[ATLAS Coll., 2409.11060]

The fraction of events in which the photon-emitting nucleus didn't break up

 Z_{ν}

- Dimuon production in vA collisions is an essential strange-quark constraint in fits of proton PDFs
- The usual practice:

$$\frac{d^2\sigma(\nu A \to \mu^- \mu^+ X)}{dxdy} \approx \frac{d^2\sigma(\nu A \to \mu^- cX)}{dxdy} \times \mathcal{A} \times \mathcal{B}_{\mu}$$
$$\mathcal{A} = \text{acceptance correction given by the experiment}$$
to account for the cut $E_{\mu} > E_{\mu}^{\min}$
$$\mathcal{B}_{\mu} = \text{average branching fraction from PDG}$$



• Potential prolem: the acceptance correction \mathcal{A} also depends

on the PDFs, the α_s order of the calculation, and heavy-quark scheme

• Assuming the cross section is of the Breit-Wigner form

$$\sigma(\nu A \to \mu^- \mu^+ X) = \frac{1}{2s} \sum_h \int d\Pi(p_{\mu^+}) d\Pi(p_{\mu^-}) d\Pi(p_{X_1}) d\Pi(p_{X_2})$$
$$(2\pi)^4 \delta^{(4)} \left(p_\nu + p_A - p_{\mu^-} - p_{\mu^+} - p_{X_1} - p_{X_2} \right) \times \frac{|\mathcal{A}_p|^2 |\mathcal{A}_d|^2}{(p_h^2 - m_h^2)^2 + m_h^2 \Gamma_{\text{tot}}^2}$$



it follows that

$$\frac{d^2\sigma(\nu A \to \mu^- \mu^+ X)}{dxdy} = \sum_h \int dz \frac{d^3\sigma(\nu A \to \mu^- h X_1)}{dxdydz} B_{h \to \mu} \left(E_h = zy E_\nu, E_\mu^{\min} \right)$$

where $B_{h \rightarrow \mu}$ is an energy-dependent branching fraction

$$B_{h\to\mu}\left(E_h, E_{\mu}^{\min}\right) = \frac{1}{\Gamma_{\text{tot}}} \int d^3 p_{\mu} \frac{d^3 \Gamma_{h\to\mu}}{d^3 p_{\mu}}\Big|_{E_{\mu} > E_{\mu}^{\min}}$$

Generic form of the decay width dictated by the Lorentz invariance

$$\frac{d^3\Gamma_{h\to\mu}}{d^3p_{\mu}} = \frac{d_{h\to\mu}(w)}{2m_hE_{\mu}}, \quad w = \frac{p_{\mu}\cdot p_h}{m_h^2}$$

• The decay function $d_{h \to \mu}(w)$ encodes the weak decay – fitted to CLEO e^+e^- data

$$d_{h \to \mu}(w) = N w^{\alpha} (1 - \gamma w)^{\beta}$$



- SIDIS cross section at NLO with leading "kinematic" mass corrections
 - NNLO (NLP) = next-to-leading power NNLO corrections



Working on the full mass dependence + including further known NNLO corrections

 \implies eventually study the constraints within the EPPS global fits

Summary



H. Paukkunen (Jyväskylä Univ.)

EPPS views on nuclear PDFs