



Low- x from di-hadron correlations in ep, eA and pp, pA collisions

Xiaoxuan Chu, BNL

CFNS Workshop, Stony Brook University, July 14-17th 2026

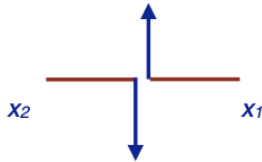


Date: 07/15/2026

Di-parton kinematics

Kinematics map from Marco van Leeuwen

Both outgoing partons at mid-rapidity



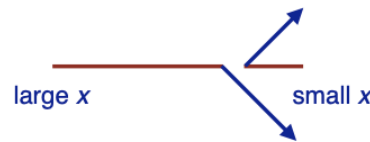
Both incoming partons at moderate x

$$\hat{s} = x_1 x_2 s \approx (2 p_T)^2$$

$$x_1 \approx x_2 \approx \frac{2 p_T}{\sqrt{s}}$$

Large $x \rightarrow q$

Both outgoing partons at forward rapidity



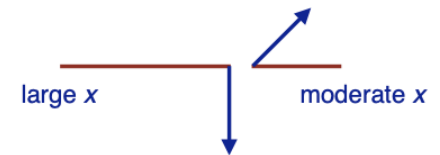
**Boosted configuration:
One small-x, one large-x parton**

$$\hat{s} = x_1 x_2 s \approx (2 p_T)^2$$

$$x_1 \approx \frac{p_T}{\sqrt{s}} e^{-y}$$

Smallest $x \rightarrow g$

One parton forward, one closer to mid-rap



Large mass final state

$$Q^2 = \hat{s} > (2 p_T)^2$$

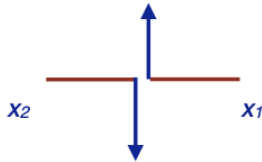
small probability

Moderate x

Di-parton kinematics

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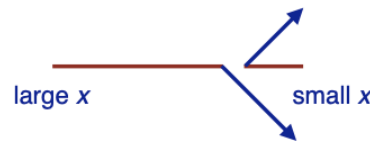
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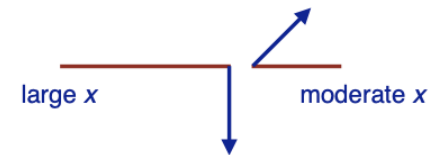
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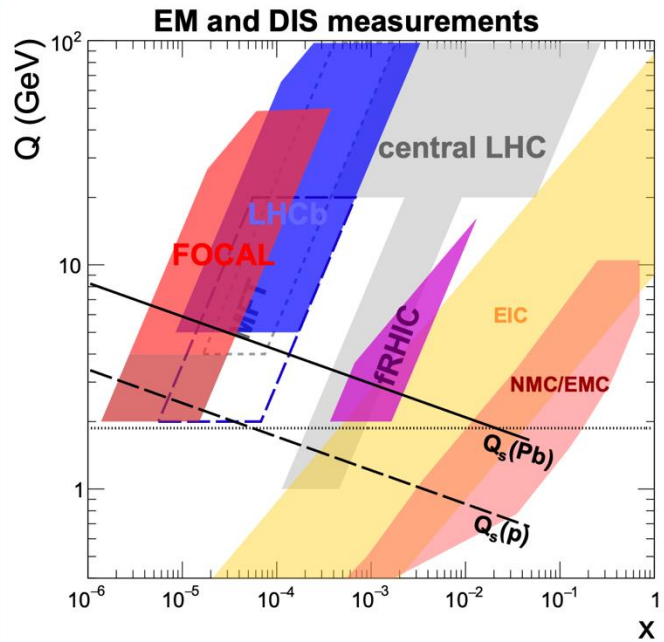
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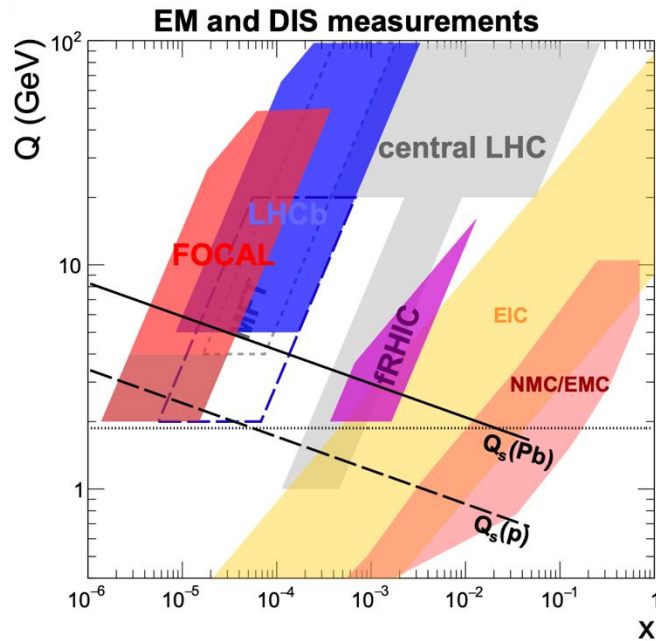
Moderate x

Saturation with di-hadron correlation

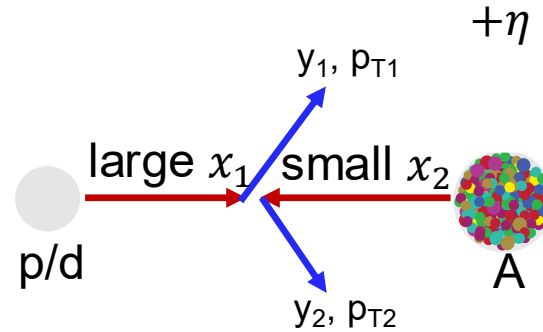


Gluon saturation: $Q^2 < Q_s^2$

Saturation with di-hadron correlation

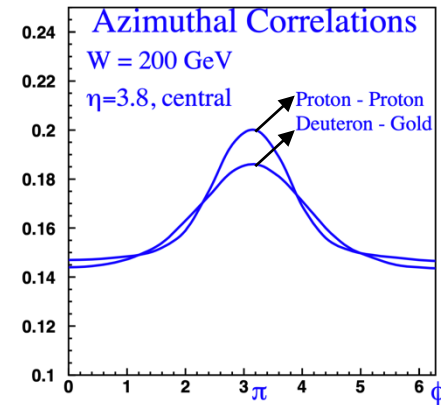


Gluon saturation: $Q^2 < Q_s^2$



$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

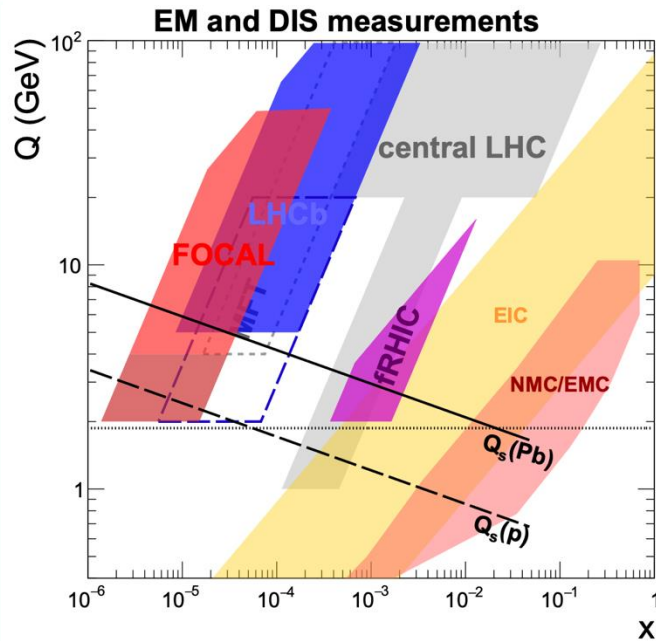
NPA 748, 627 (2005)



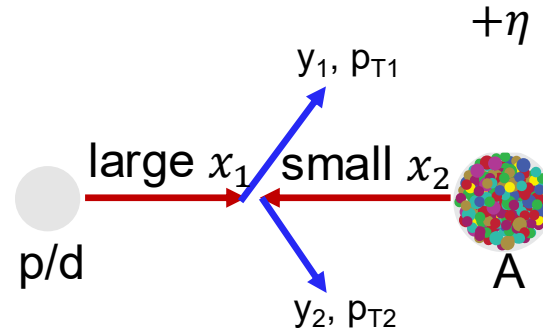
Saturation signature:

- Suppression
- Broadening

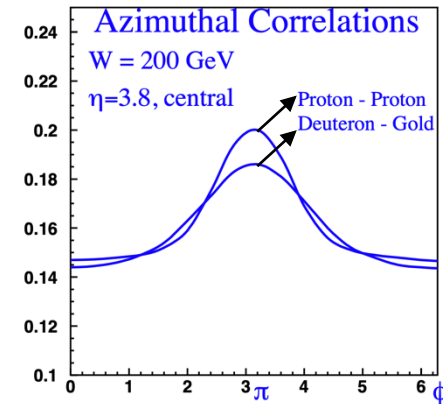
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Gluon saturation: $Q^2 < Q_s^2$



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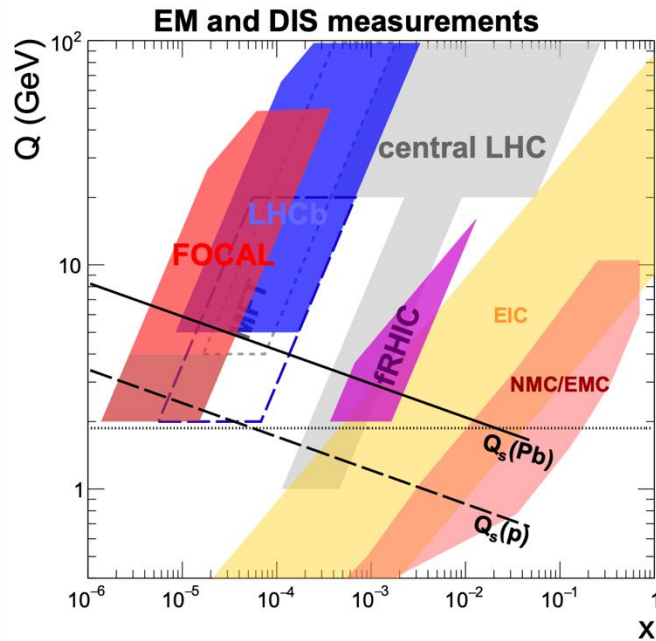


$$Q_s \propto A^{\frac{1}{3}} \cdot x^{-\lambda} \cdot \frac{1}{b}, \quad x_2 \sim \frac{p_{T1} e^{-y_1} + p_{T2} e^{-y_2}}{\sqrt{s}}$$

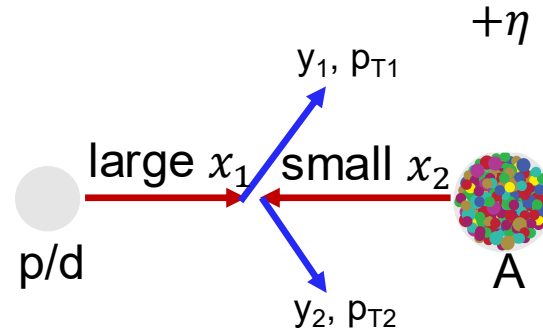
- Large A
- Small x : forward product and low p_T
- Small b : central collisions

$$Q \propto \frac{p_{T1} + p_{T2}}{2}, \text{ small } Q: \text{ low } p_T$$

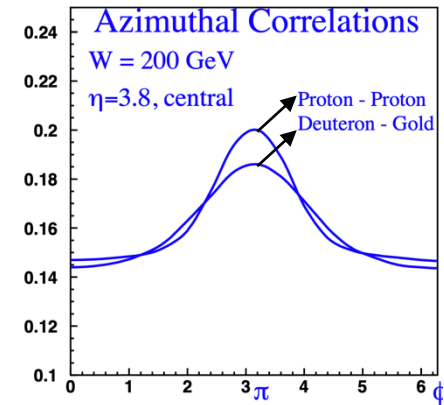
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Gluon saturation: $Q^2 < Q_s^2$



NPA 748, 627 (2005)



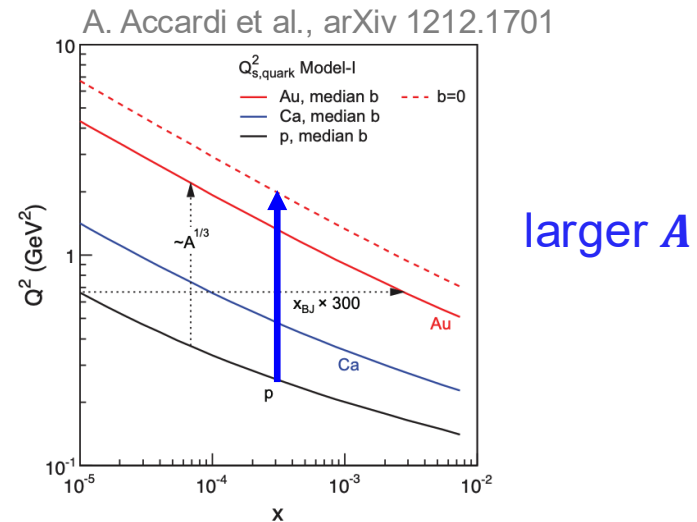
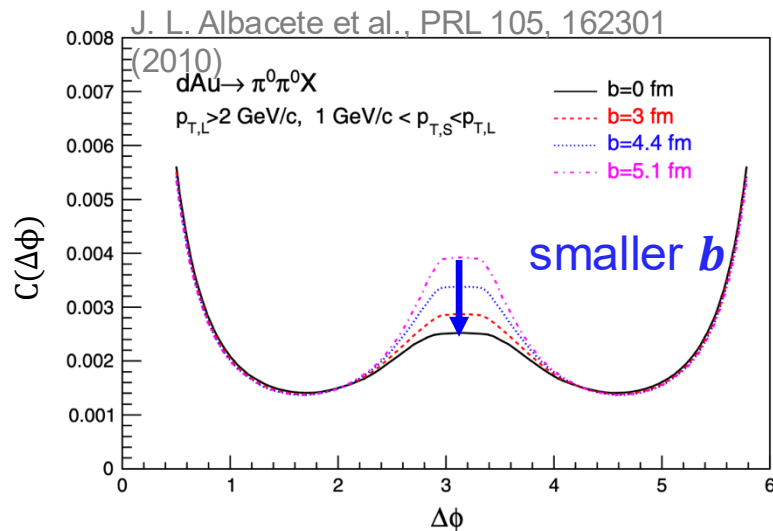
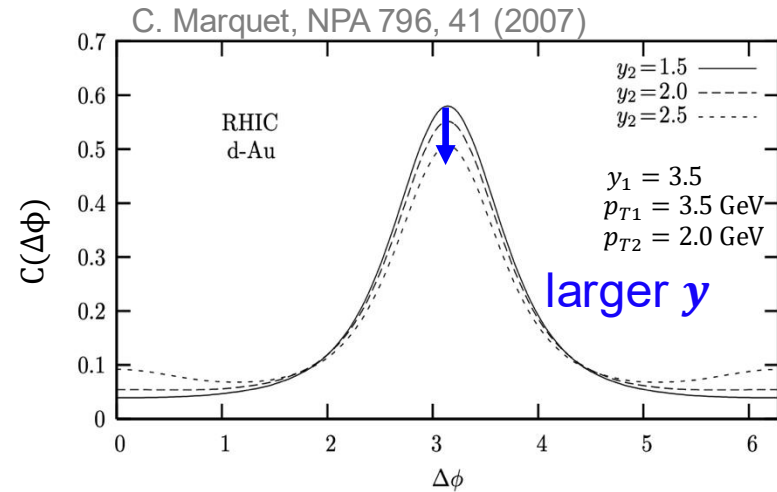
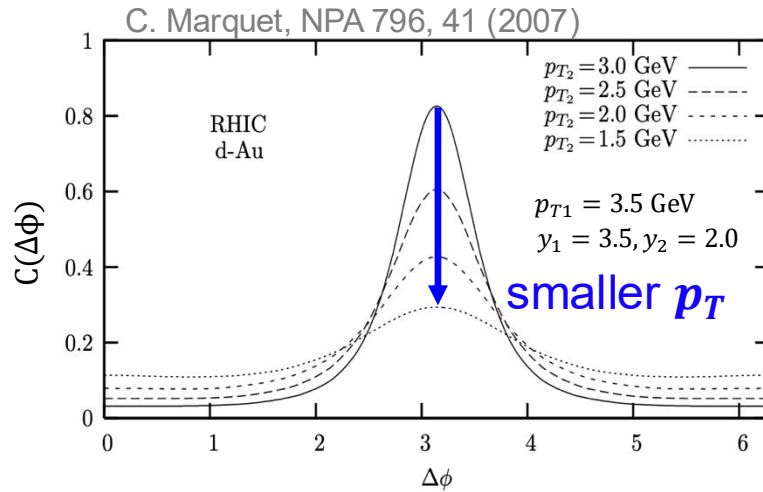
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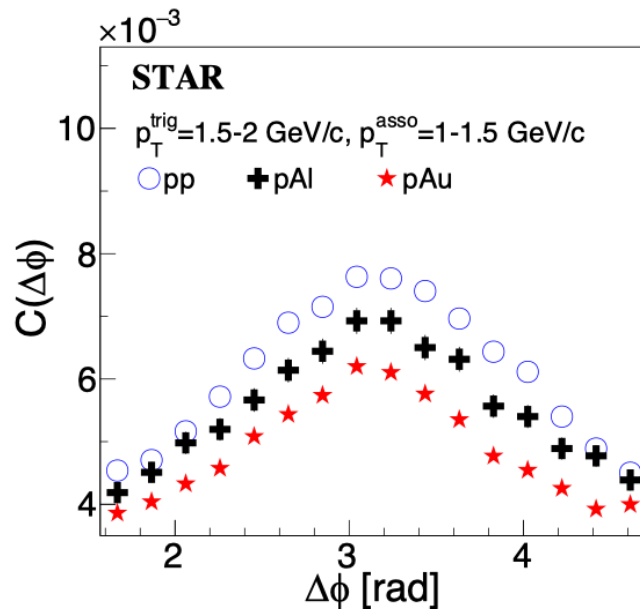
Scan Q^2 , x , and Q_s by varying p_T , y , b , and A

Saturation with di-hadron correlation

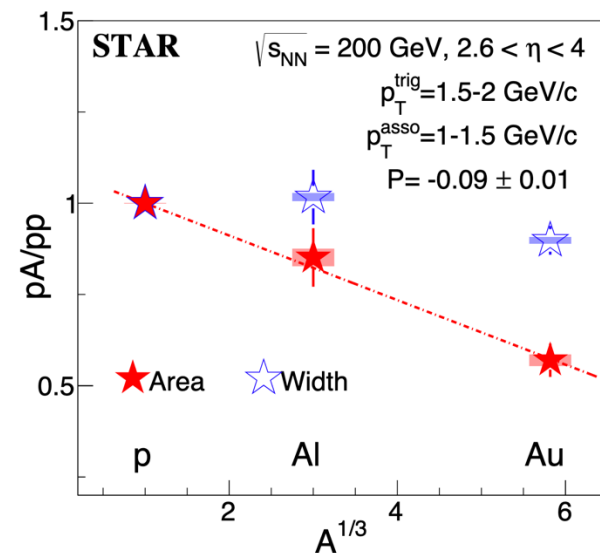


STAR pp and pA data

$$x = \frac{p_{T1} e^{-y_1} + p_{T2} e^{-y_2}}{\sqrt{s}}, Q \sim \frac{p_{T1} + p_{T2}}{2}$$



Area and width @ ($\Delta\phi = \pi$)
 + pedestal



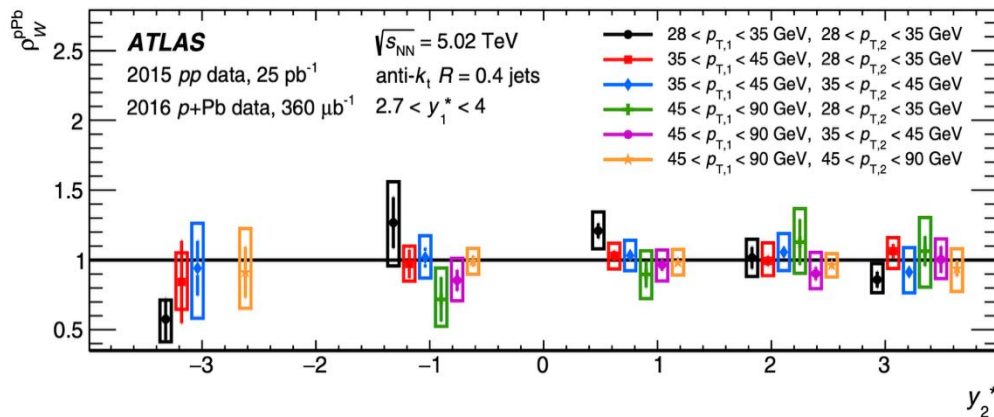
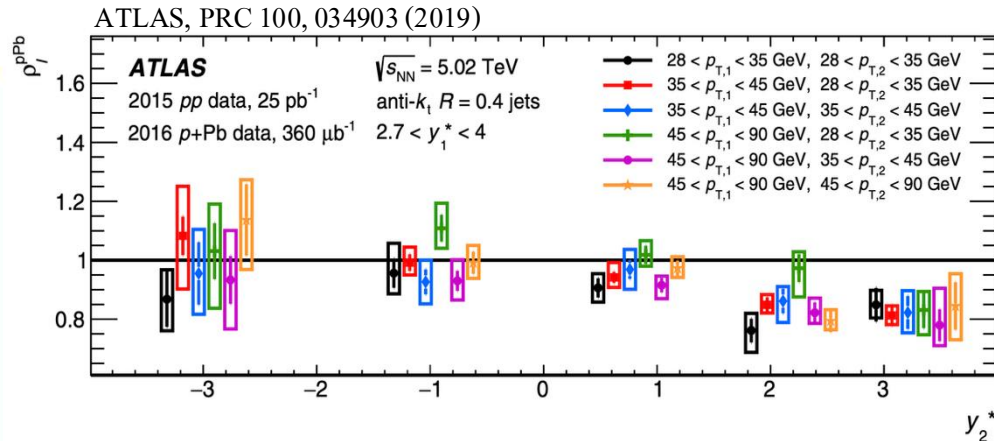
$$\text{Relative area} = \frac{\text{Area in } p+A}{\text{Area in } p+p} < 1$$

Predicted suppression is observed

Relative width ~ 1

Predicted broadening is not observed – why?

LHC pp and pPb data



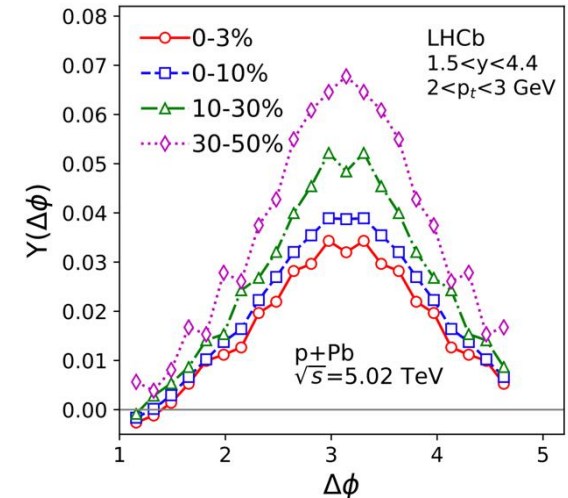
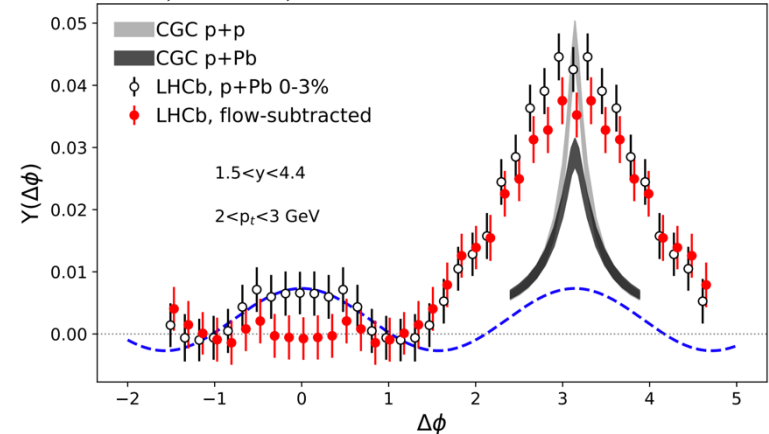
Less suppression compared to STAR dihadron

- $x_{p\text{b}} \rightarrow 10^{-4}, Q^2 > \sim 800 \text{ GeV}^2$

Width extracted as σ from the Gaussian fit:

- Remains the same in $p+p$ and $p+\text{Pb}$

LHCb, NPA 982, 291

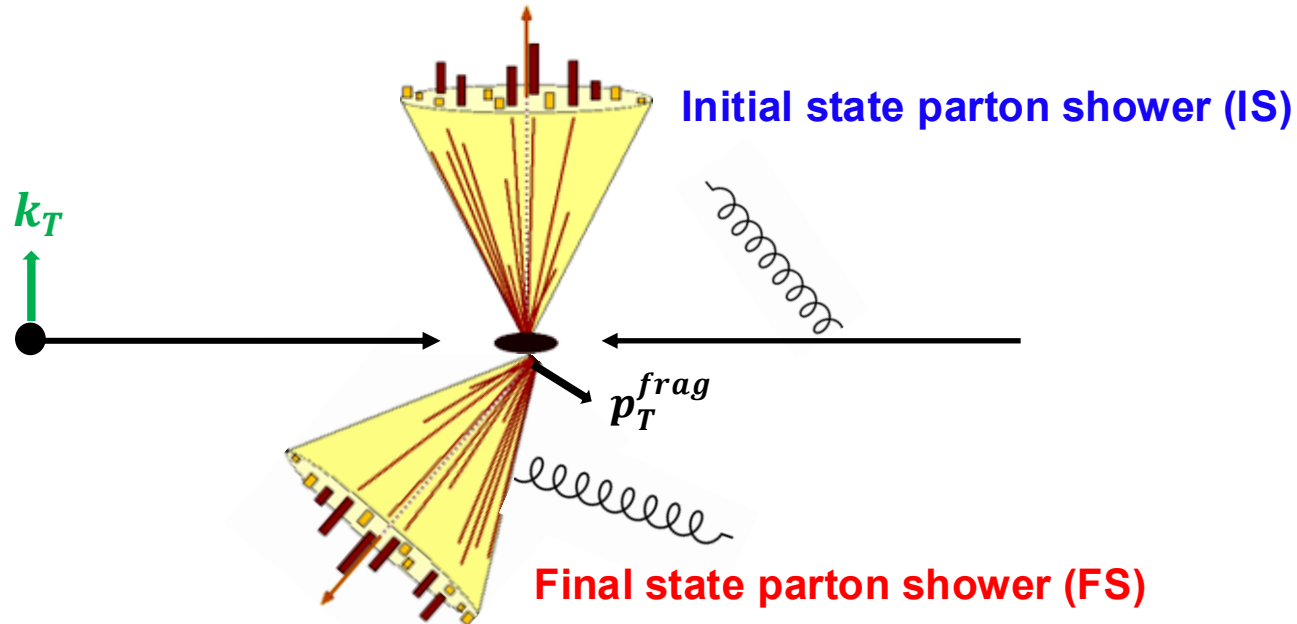


LHCb did not report forward di-hadron correlation widths

- None of the experiments has claimed the observation of the broadening phenomenon predicted by CGC to date
- Meanwhile, there are several effects leading to a wider away-side correlation, which may overshadow the broadening from saturation

Broadening in simulation studies

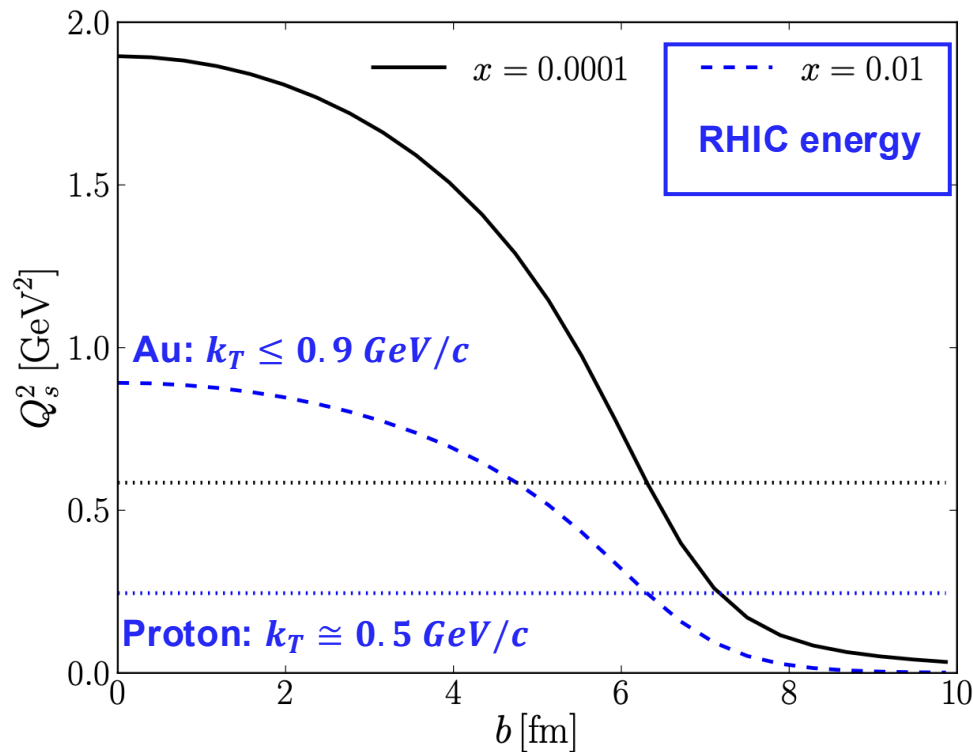
Factors can cause the broadening:



- Intrinsic k_T : saturation related factor, $k_T \approx Q_s$, it's larger in eA/pA than ep/pp
- Parton shower (Sudakov effect) and p_T^{frag} : independent of collision system
- All can lead to broad away-side peaks

Broadening induced by saturation

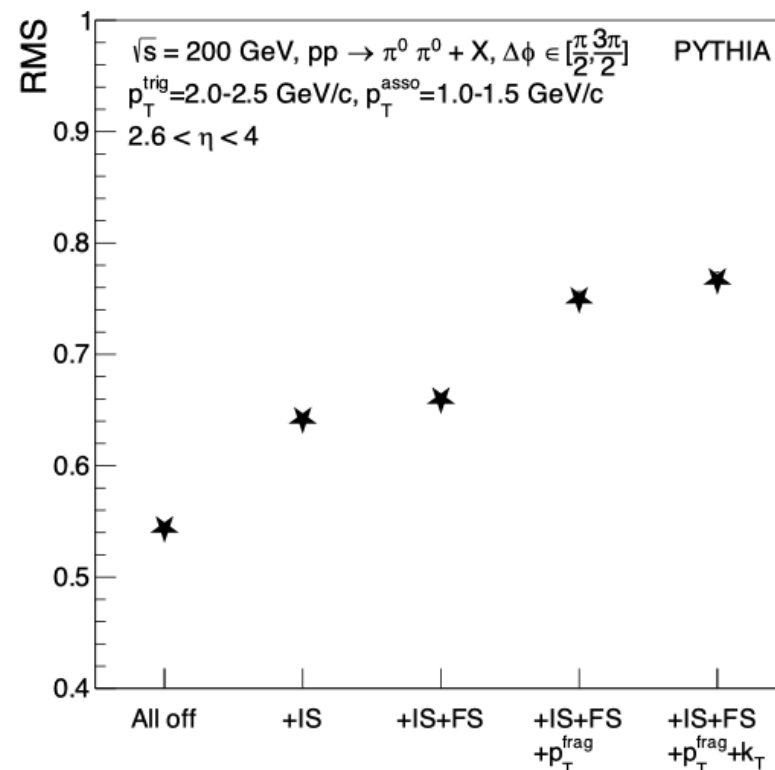
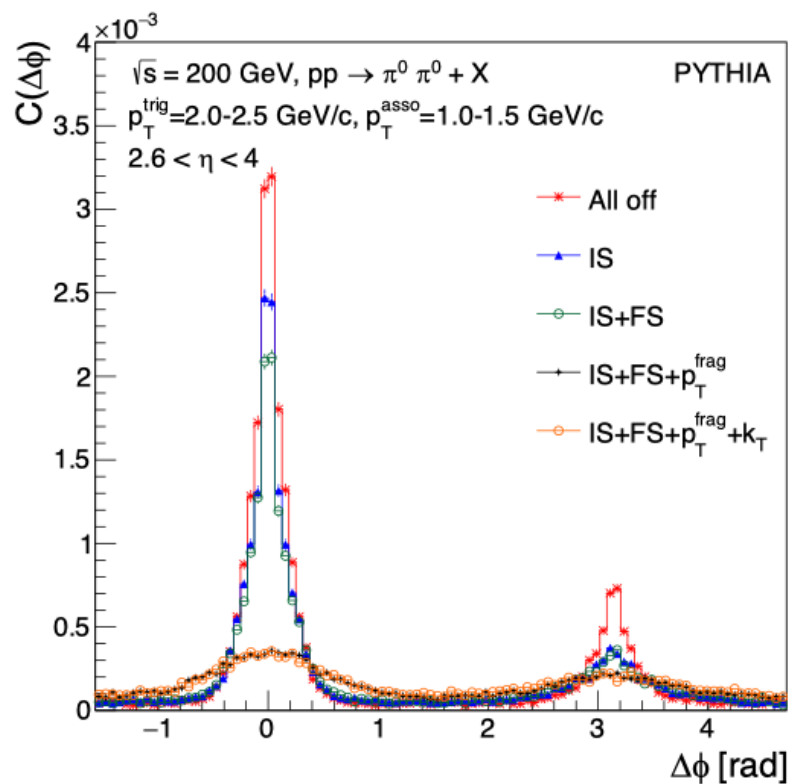
T. Lappi and H. Mantysaari, PRD 88, 114020 (2013)



Saturation implemented in simulation by parameterizing intrinsic $Q_s \sim k_T$:

At RHIC energy,
for proton: $k_T \cong 0.5 \text{ GeV}/c$;
for Au: $k_T \sim 1 \text{ GeV}/c$

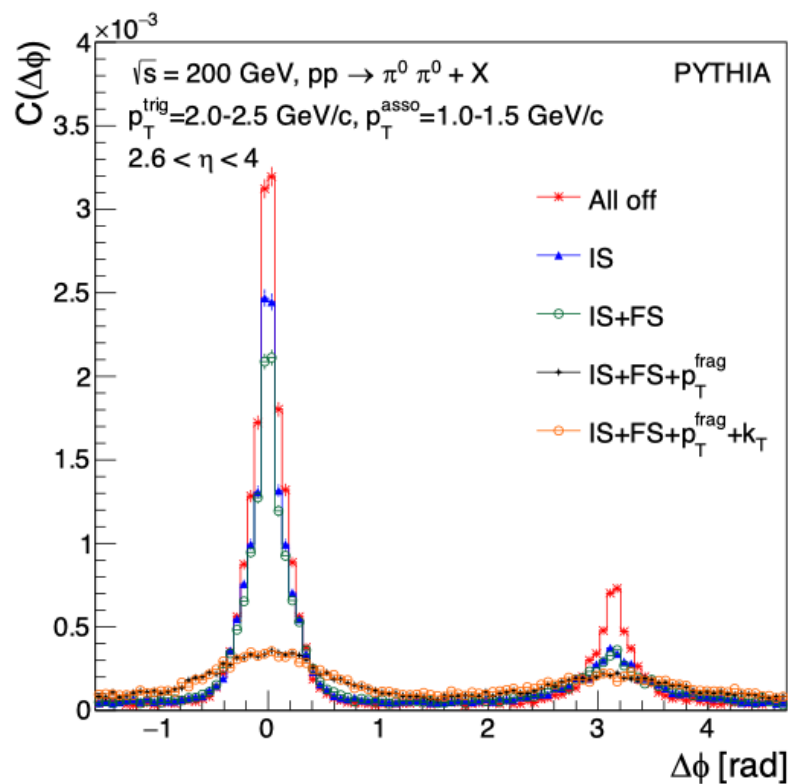
Broadening in simulation for pp, pA



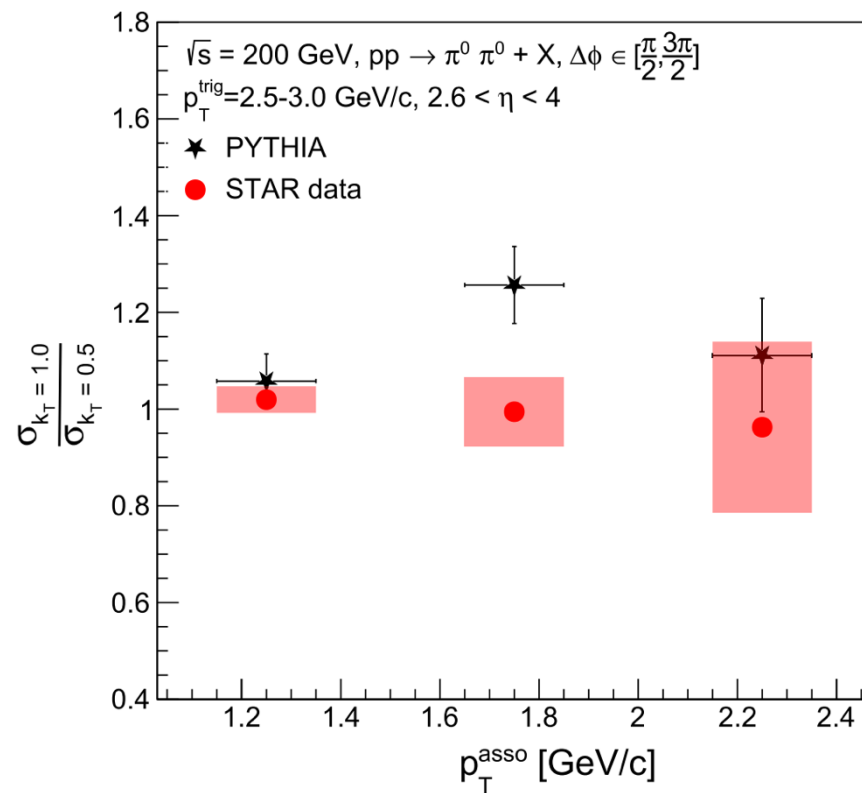
RMS @ ($\Delta\phi = \pi$)
 due to sharp peak at all off

- Two major sources for broadening:
 IS and p_T^{frag}
- k_T (saturation) is not the dominate source

Broadening in simulation for pp, pA

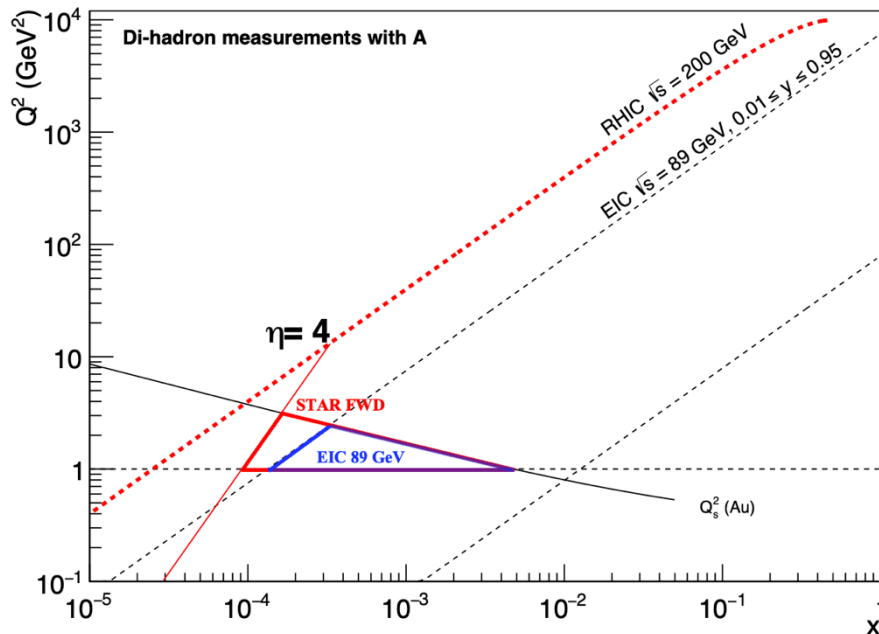
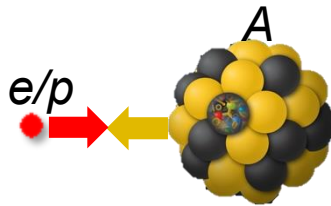


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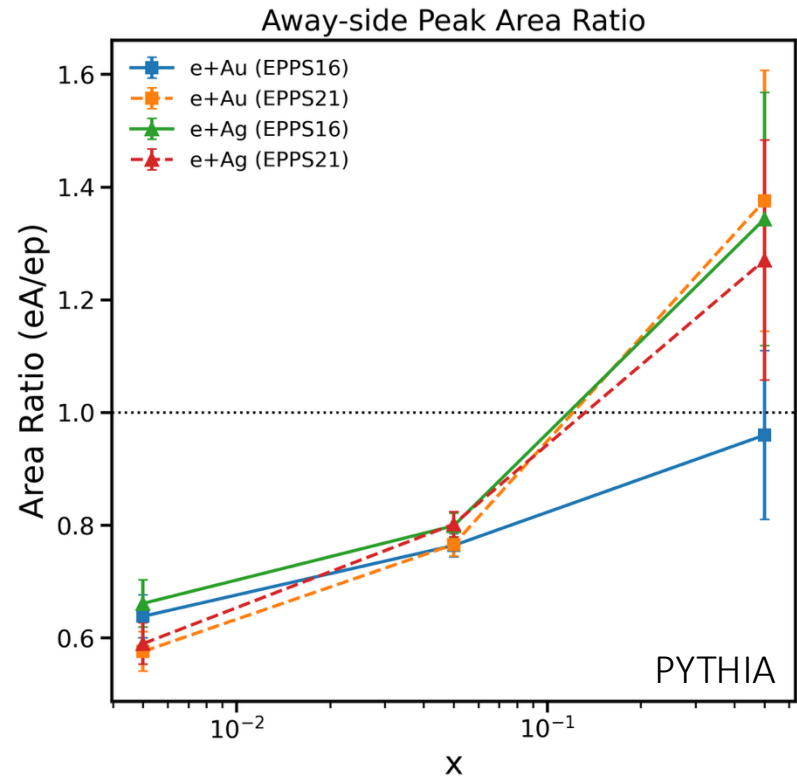


Simulation describes data well

Universality between pA and eA



G. Garcia's talk, this morning

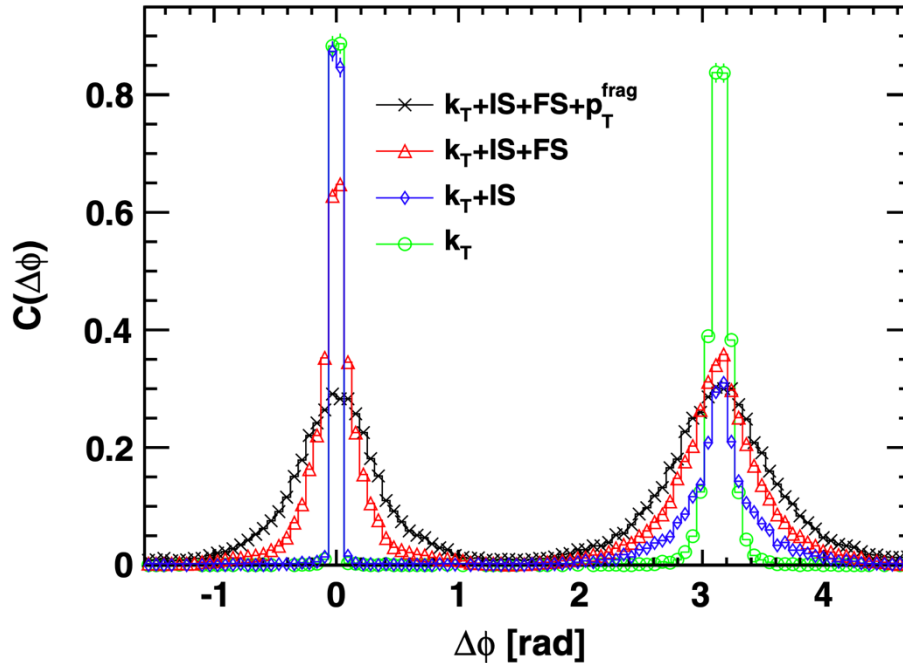


Test universality of gluon saturation by different probes:

- Clear away-side suppression in e+A compared to e+p; Suppression stronger for heavier nuclei
- Qualitative agreement with STAR p+A results

Broadening in simulation at the EIC

Di-charged hadron

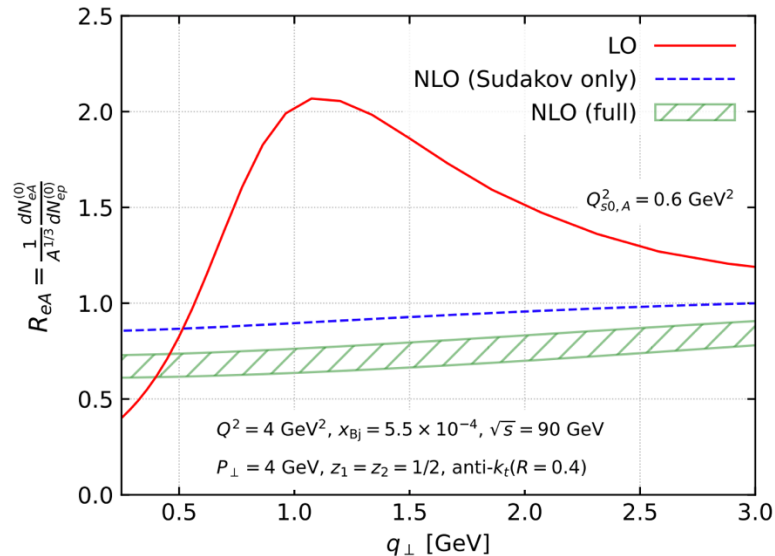


	Near-side $\Delta\phi$ RMS	Away-side $\Delta\phi$ RMS
k_T	0.21	0.25
$k_T + \text{IS}$	0.30	0.72
$k_T + \text{IS} + \text{FS}$	0.65	0.81
$k_T + \text{IS} + \text{FS} + p_T^{\text{frag}}$	1.00	1.00

- Near side peak width mainly affected by final state parton shower and fragment p_T^{frag}
- Away side peak width dominated by initial state parton shower

Similar explanation from theory

P. Caucal et al., PRL 132, 081902 (2024)

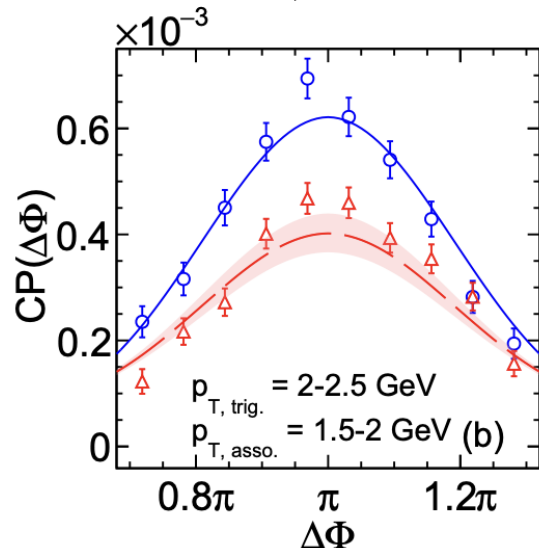


LO: saturation alone, broadening and suppression at small q_T

LO+Sudakov: saturation + Sudakov (initial + final state radiation), very little broadening and suppression

Full NLO = LO + Sudakov + small- x evolution: very weak broadening but strong suppression

P. Caucal et al., arxiv: 2512.21466



Sudakov kills the broadening induced by LO saturation

Non-linear evolution suppresses the cross-section with slight broadening

Reasonable description of suppression

What we've learnt so far:

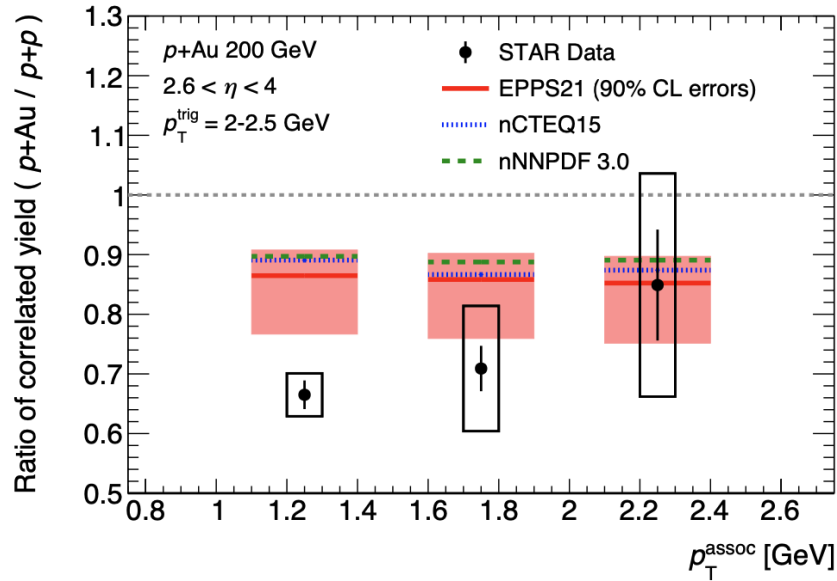
- NLO contribution cannot be ignored, high precision measurement and calculation is needed
- If one wants to claim the discovery of gluon saturation, we need several observables that can only be interpreted by non-linear effects

The EIC will provide possibilities in measuring more observables

Other mechanisms: nPDFs

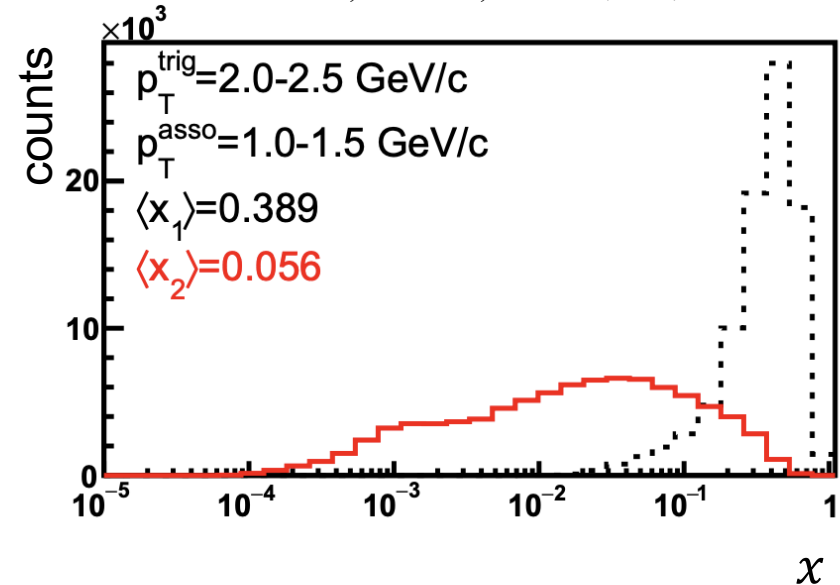
nPDF at small Q^2

D. Perepelitsa, PRC 111 (2025), 054901



- No p_T dependence, overshoot low p_T data

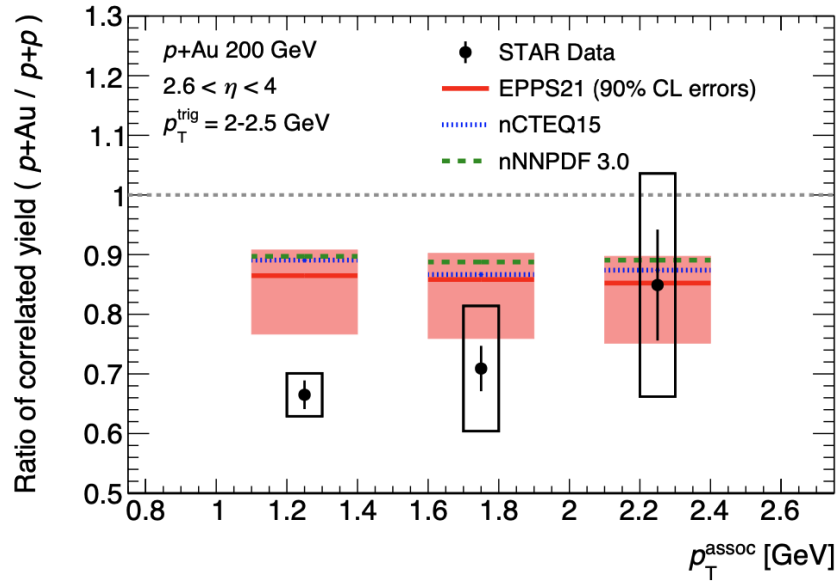
STAR, PRL 129, 092501 (2022)



- For the lowest p_T bin:
 $\langle x_2 \rangle \sim 0.056$, $\langle Q^2 \rangle \sim 3$ GeV²

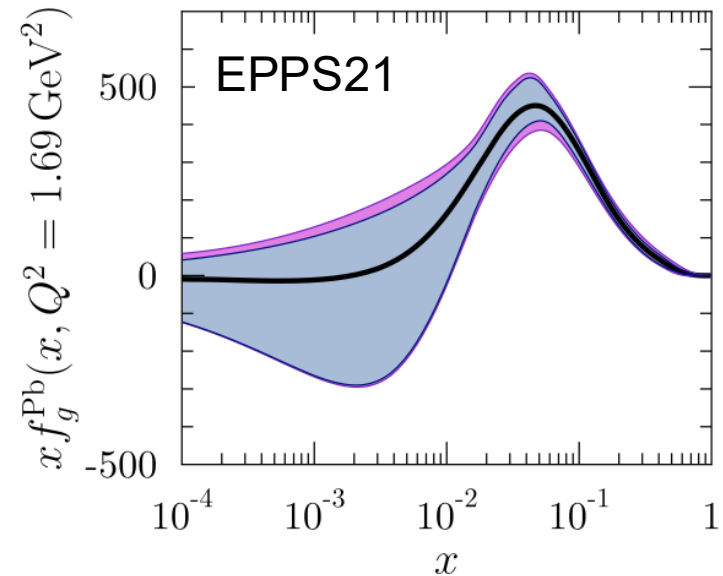
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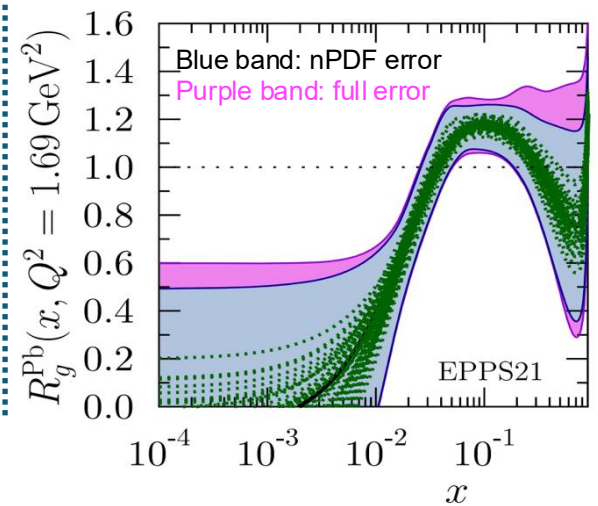
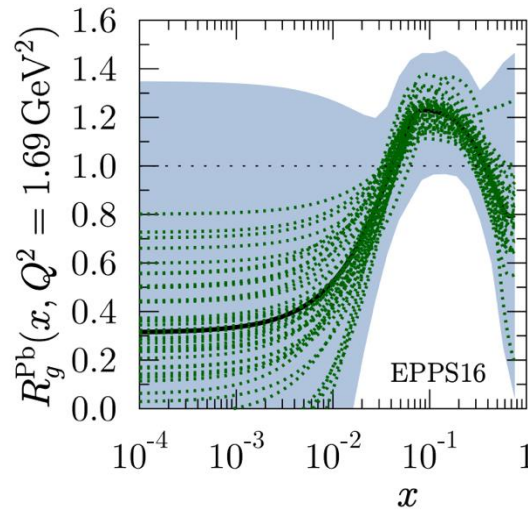
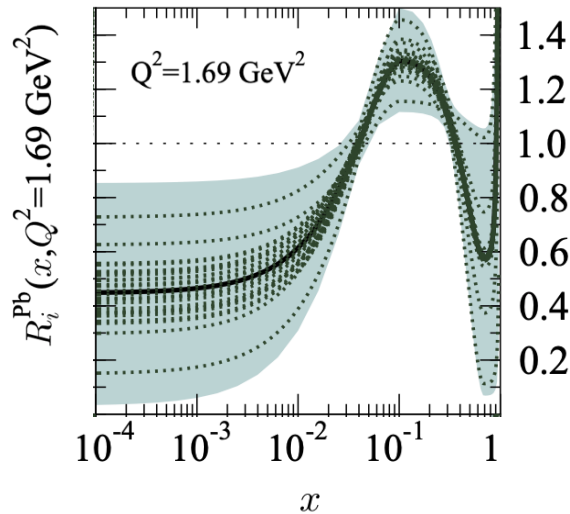
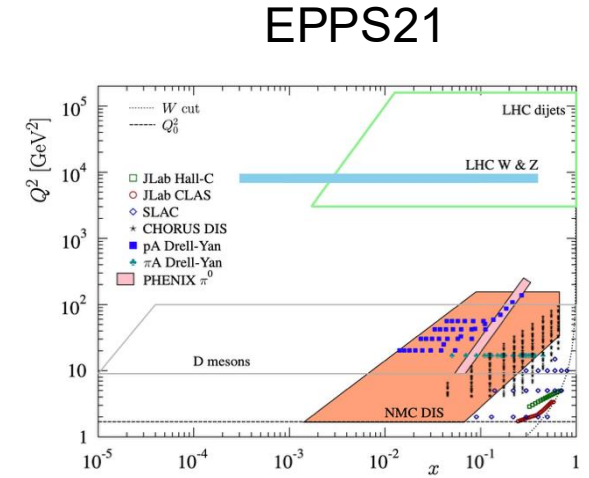
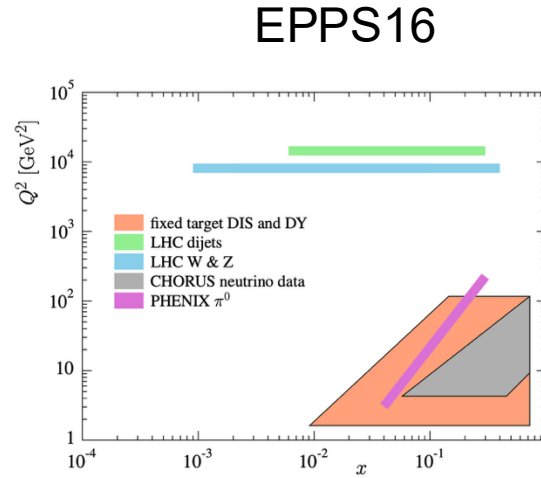
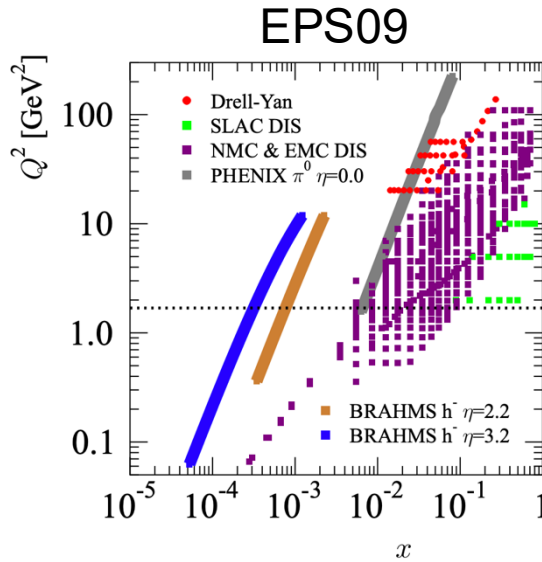
- No p_T dependence, overshoot low p_T data
- The vanishing gluon density at small Q^2 is used

K. Eskola et al., EPJC 82 (2022) 413



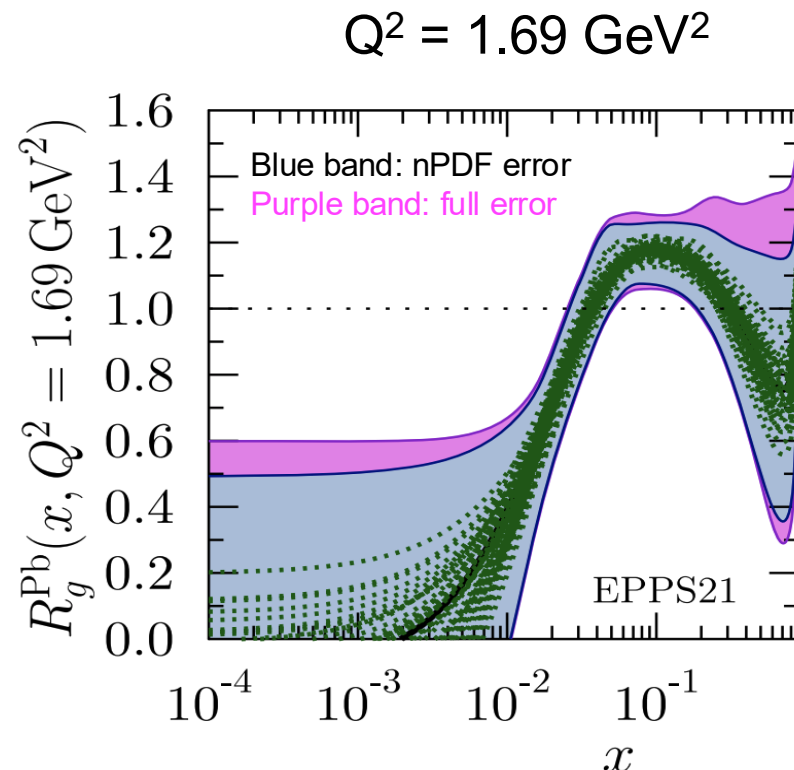
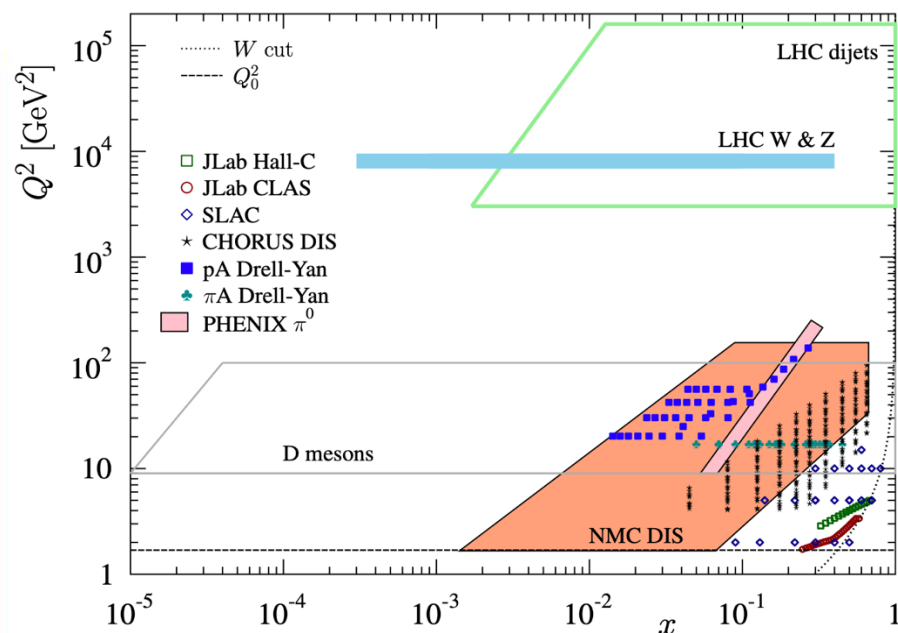
- Gluon density is 0 with largely negative error

nPDF: EPPS



At small Q^2 , gluon density eventually becomes 0, large impact from LHCb D¹⁷

EPPS21

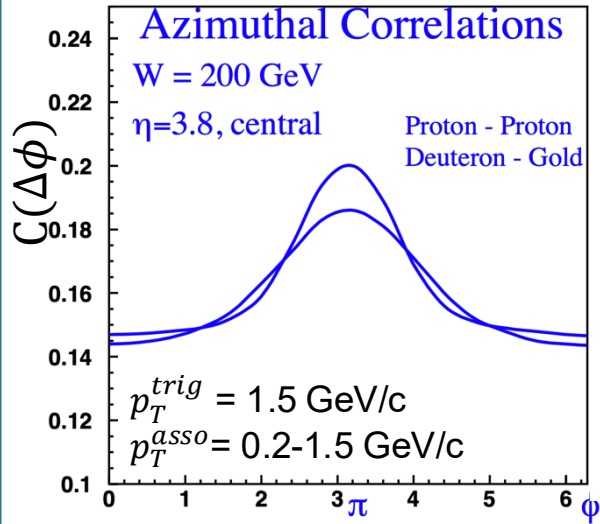


- LHCb D meson data made a significant impact $\rightarrow$ gluon density becomes 0 at small Q^2 ?
Suspect nonlinear gluon dynamics was included in initial condition for extraction? BUT they didn't use BK/BFKL. Should try to use higher p_T data to get rid of the saturation effect and use BK/BFKL
- Meanwhile, hadronization is included in the fit as EPPS used final state, but nuclear modified fragmentation is not included in the fit $\rightarrow$ needs to be improved, **pp and pA can not separate initial and final state effect (except direct photon), but the EIC can**

- Normalization: both experimentally and theoretically

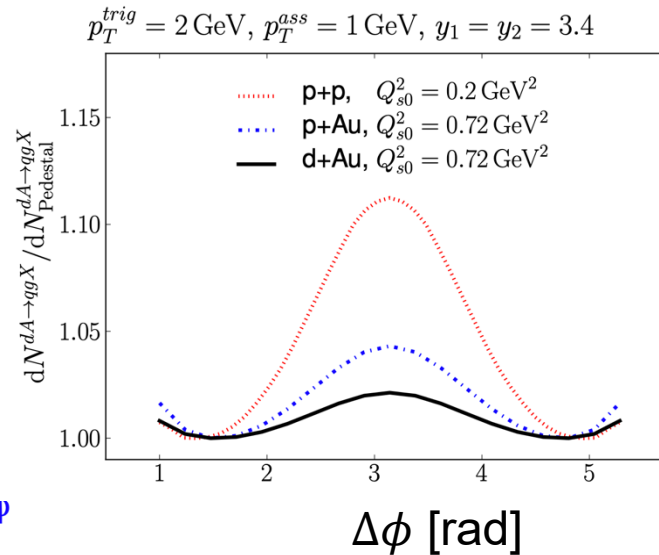
Examples of normalization

NPA 748, 627 (2005)



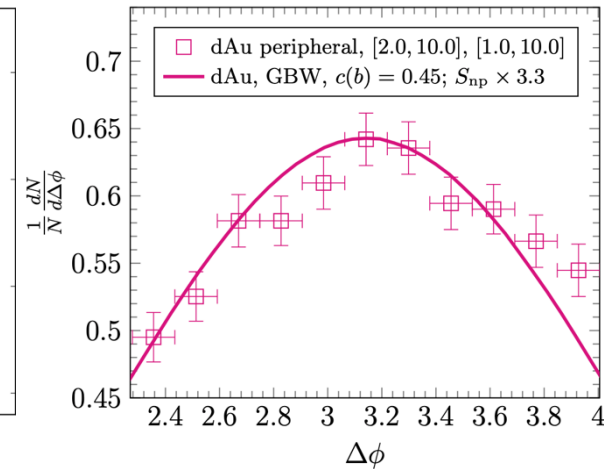
$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

NPA 908 (2013) 51-72



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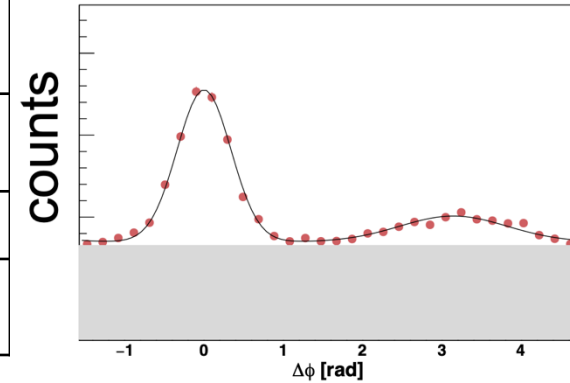
PLB 784 (2018) 301-306



$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{pair} \times \phi_{bin}}$$

Summary in normalization

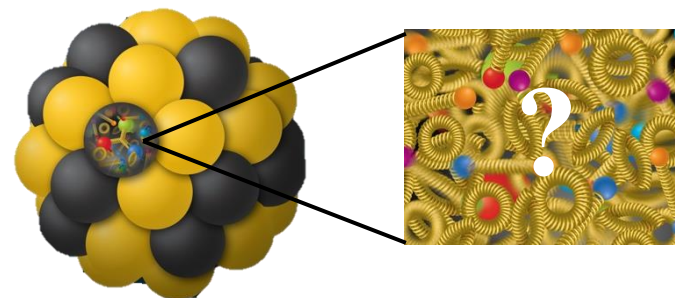
Experimental papers	Normalized by	Systems	Details
STAR	N_{trig}	p+p, p+Al, p+Au, d+Au	Compare area ratio
PHENIX	N_{trig}	p+p, d+Au	Compare area ratio $\times R_{dAu}$
ATLAS and LHCb	N_{trig}	p+p, p+pb	Compare area ratio



Theoretical papers	Normalized by	Systems	Details
NPA 748 (2005) 627-640	N_{pair}	p+p, d+Au	N_{pair} for entire $-\frac{1}{2}\pi < \Delta\phi < \frac{3}{2}\pi$ range
PLB 716 (2012) 430-434	N_{trig}	p+p, d+Au	same as experiment, issue with p+p
PLB 784 (2018) 301-306	N_{pair}	p+p, p+Au, d+Au	N_{pair} for back-to-back region: $\frac{1}{2}\pi < \Delta\phi < \frac{3}{2}\pi$
NPA 908 (2013) 51-72	N_{trig}	p+p, p+Au, d+Au	same as experiment
	N_{pair}	p+p, p+Au, d+Au	N_{pair} for pedestal
PRL 105, 162301 (2010)	N_{trig}	p+p, d+Au	same as experiment
PRD 99, 014002 (2019)	N_{trig}	p+p, p+Au, d+Au	same as experiment, compared with STAR data

Summary and outlook

**Precision measurements are needed
as CGC has entered NLO era.**



gluon dynamics at small x

Efforts from our group:

PRD 89, 074037 (2014),
PRD 96, 074035 (2017),
PRD 101, 072003 (2020),
PRL 129, 092501 (2022),
PRD 112, 034034 (2025),
Hard Probes (2026),
ePIC ESR (2026),

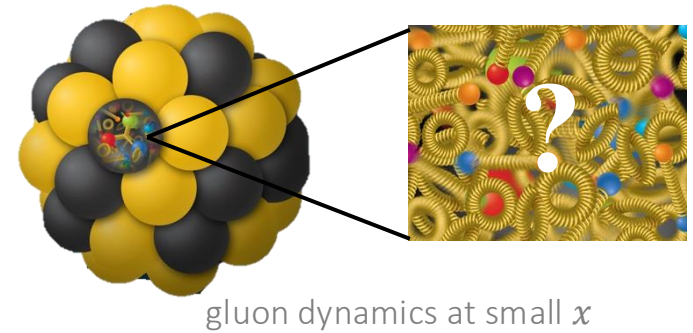
First EIC simulation paper on saturation
Photoproduction channel at the EIC
Jets at the EIC
di- π^0 correlation on A dependence at STAR
di- π^0 correlation with NLO in pp simulation
 R_{pA} for forward production at STAR
di- $h^\pm$ correlation with NLO and charm for the EIC

In progress,

Inclusive and jet measurements with NLO at the EIC

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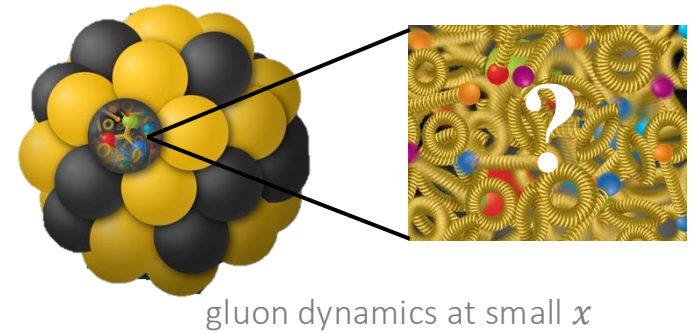


What do we know about low- x in di-hadron correlations in ep, eA and pp, pA?

- Broader correlation in p+A predicted by CGC was not observed experimentally yet
 - NLO contributions are not negligible – they dilute the signal
 - nPDF interpretation needs to be verified – extraction touches sat. already?

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 - NLO contributions are not negligible – they dilute the signal
 - nPDF interpretation needs to be verified – extraction touches sat. already?
- Saturation shares the universal signatures in e+A compared to p+A in terms of suppression and (non)broadening
- Uniform normalization needed for clear interpretation between data and theory

Back up

Broadening in simulation for pp, pA

STAR tune simulation, no detector effect:

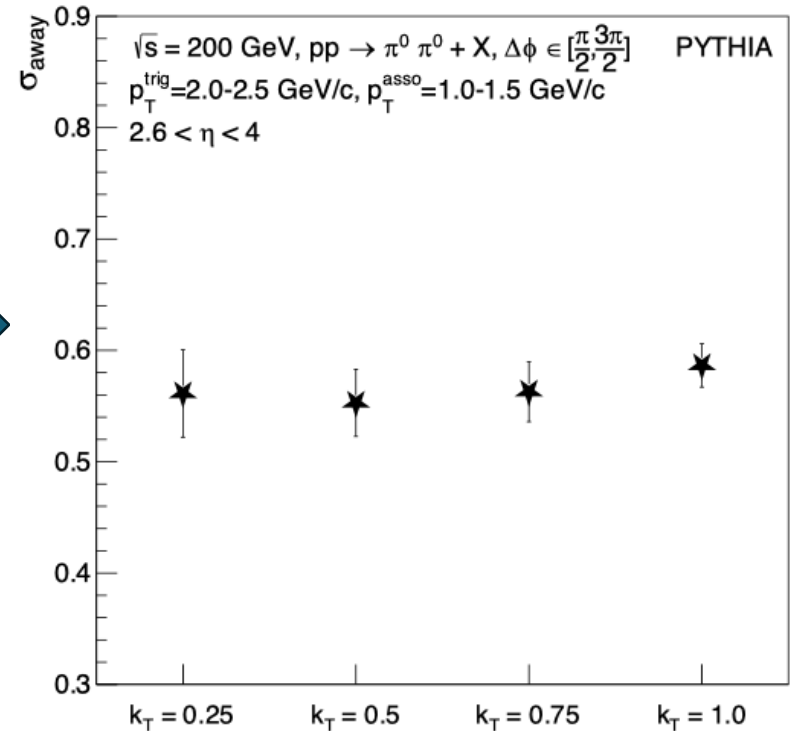
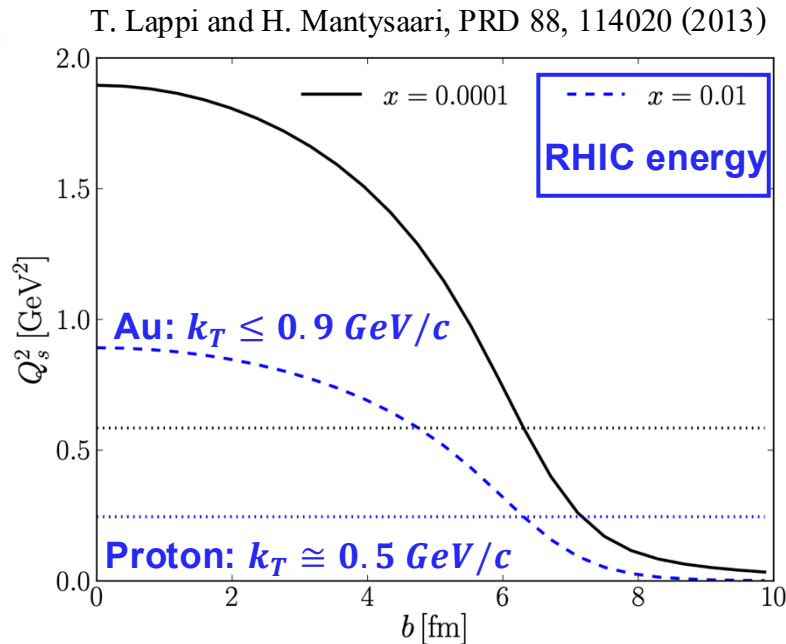
Event selection:

- Two π^0 s produced in FMS rapidity acceptance ($2.6 < \eta < 4.0$)
- π^0 $p_T > 1$ GeV/c, which is FMS threshold

Method:

- Turn on initial-state radiation, final-state radiation, and p_T^{frag} one by one, check how each factor changes the width of the away-side correlation of two π^0 s
- Change k_T based on everything else is on, to see the influence induced by saturation only

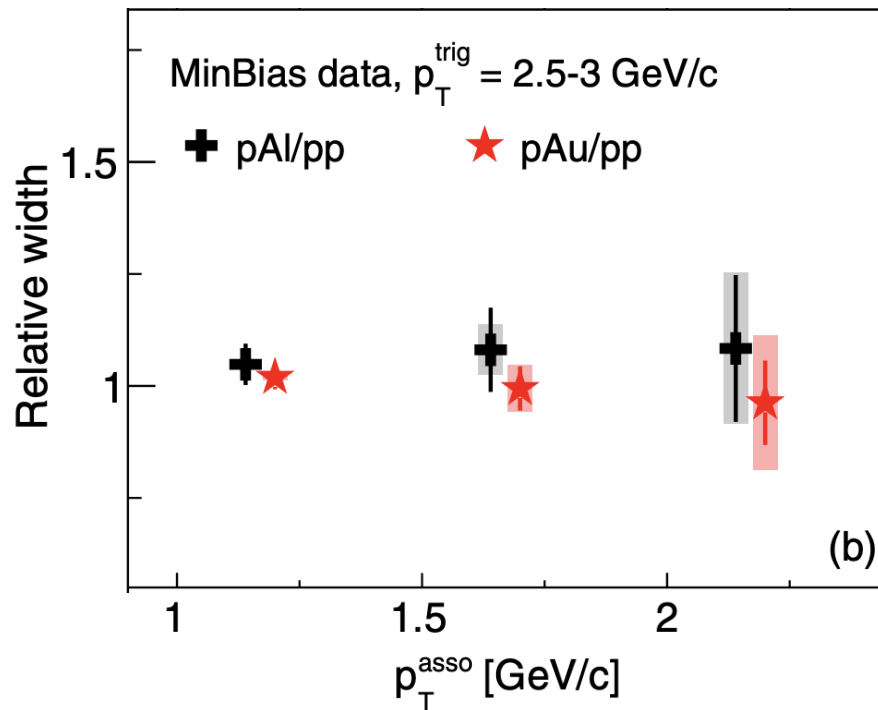
Broadening in simulation for pp, pA



- Saturation implemented in simulation by parameterizing intrinsic $Q_s \sim k_T$: at RHIC energy, for proton: $k_T \sim 0.5$ GeV/c; for Au: $k_T \sim 1$ GeV/c
- With PS and p_T^{frag} turned on, away-side width stays unchanged by increasing k_T , broadening is not expected to occur in p+Au compared to p+p at RHIC; possible explanation for the experimental results

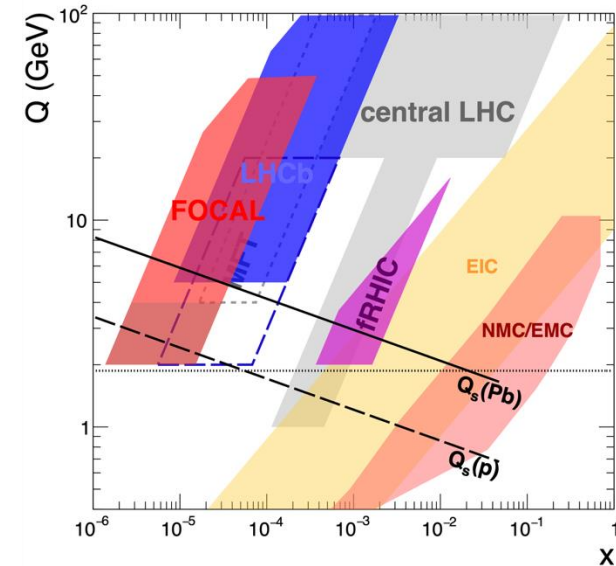
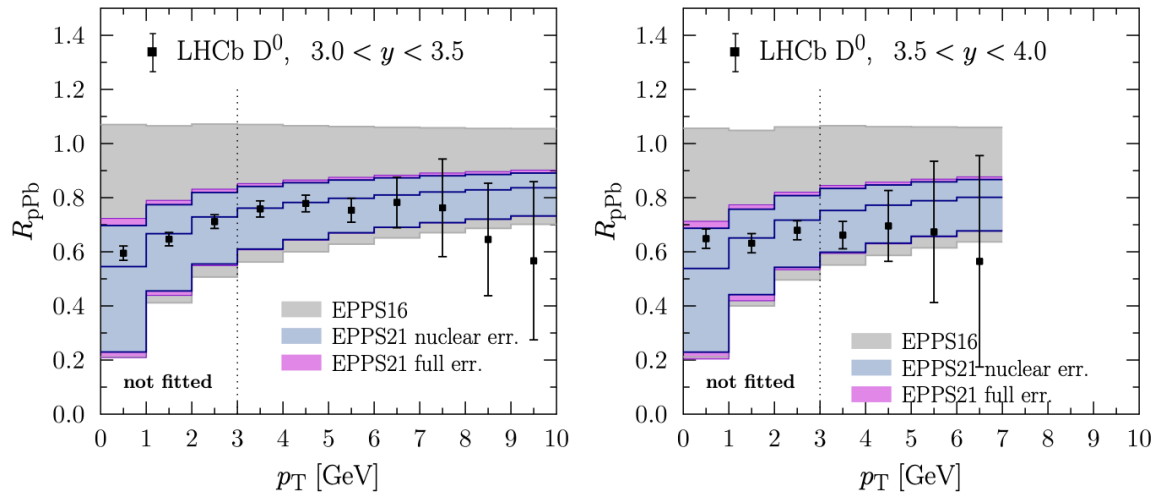
STAR pp and pA

STAR, PRL 129, 092501 (2022)



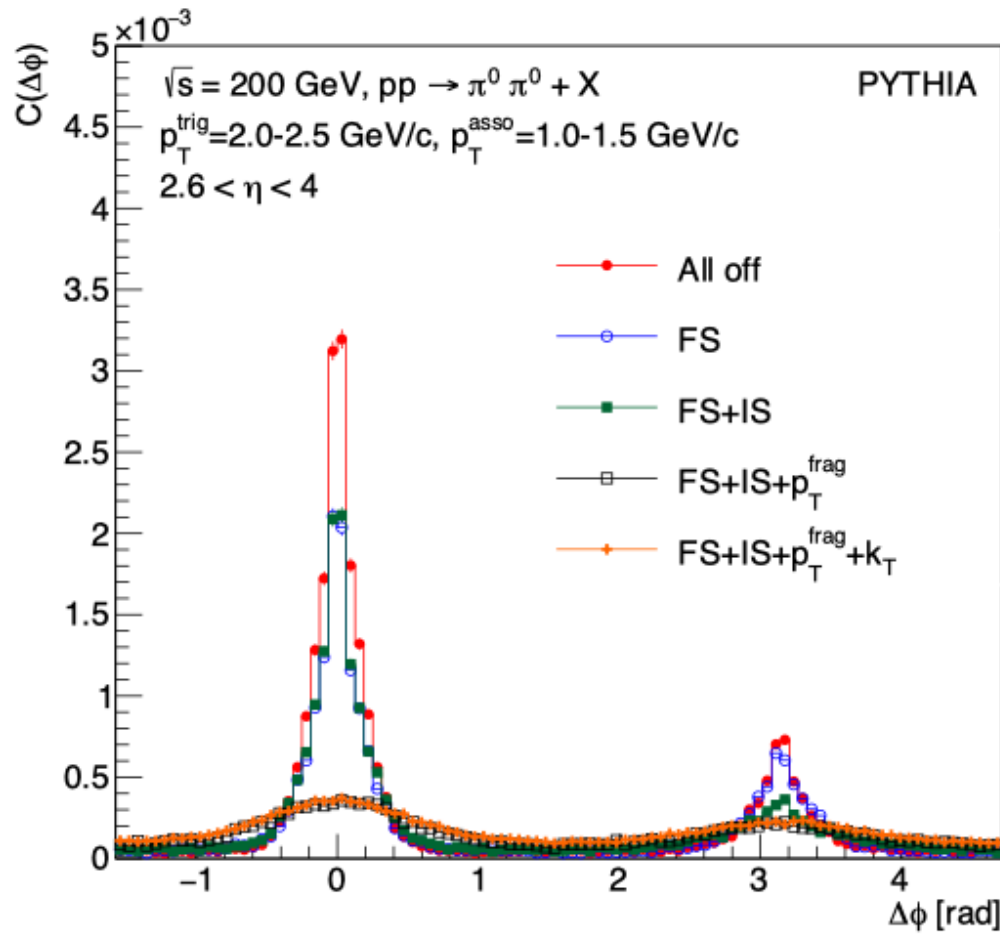
Width doesn't change

EPPS21: LHCb data



EPPS 21 used LHCb D meson data with $p_T > 3$ GeV, the region where saturation is not completely excluded.

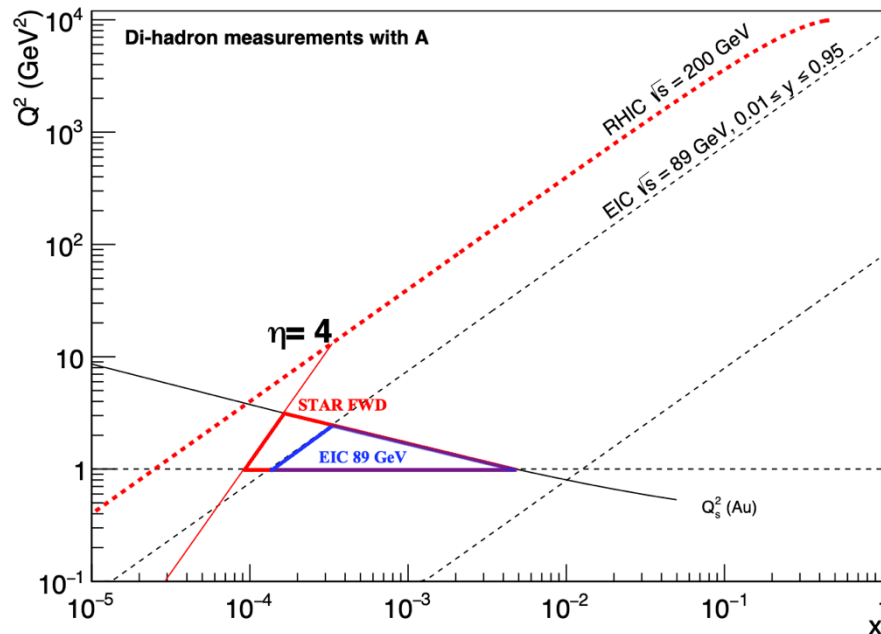
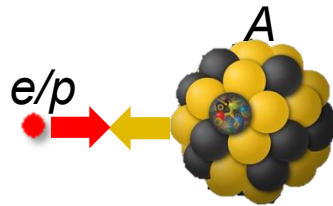
IS vs FS shower



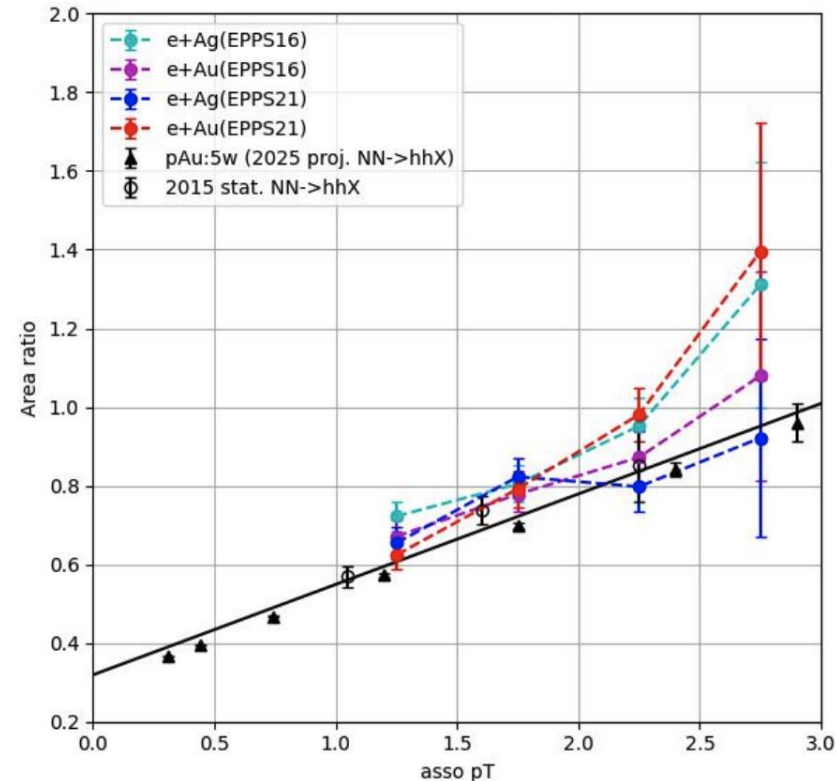
Very small change at the away-side peak by turning on FS.

The effect from IS is much stronger than FS.

Universality between pA and eA



G. Gacia, 2nd EIC Readiness Workshop 2026



Test universality of gluon saturation by different probes:

- Clear away-side suppression in e+A compared to e+p; Suppression stronger for heavier nuclei
- Qualitative agreement with STAR p+A results

Normalization issue

Experimental result:

$$R_{pA} = \frac{1}{\langle N_{\text{coll}} \rangle} \cdot \frac{d^2 N_{pA} / dp_T dy}{d^2 N_{pp} / dp_T dy}$$

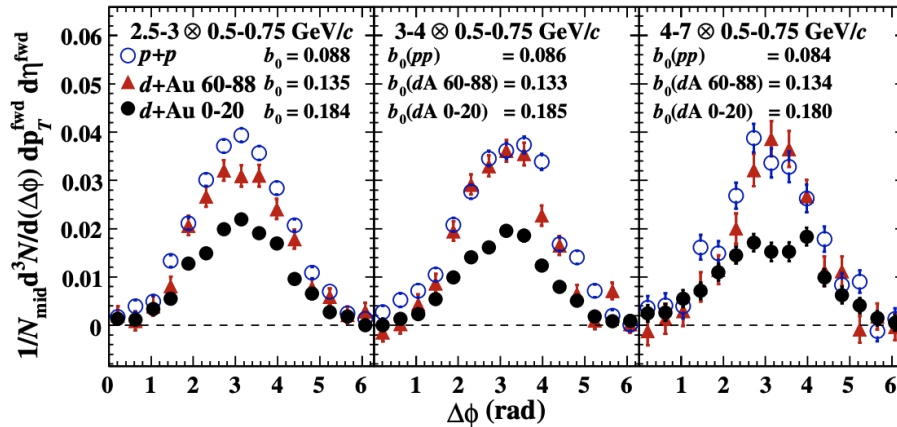
- It is not the differential cross section ratio but the yields ratio.
- Experimental perspective: easy to deal with the systematics, e.g., detector effects, triggers, acceptance, etc. can be cancelled

But

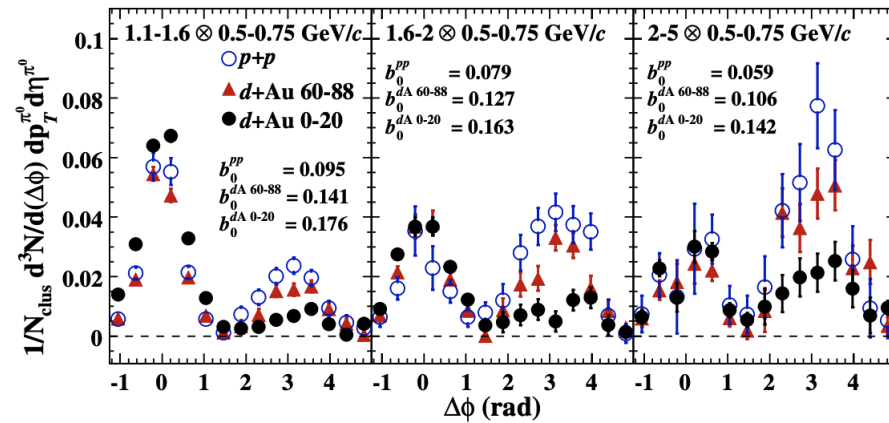
- There is no total cross section provided for pA, the yields per event cannot be compared with theoretical calculations.
- Global analysis uses theoretical heavy-ion model instead of carefully simulating it with MC.

PHENIX pp and dA data

mid-forward, $|\eta^{trig}| < 0.35, 3 < |\eta^{asso}| < 3.8$

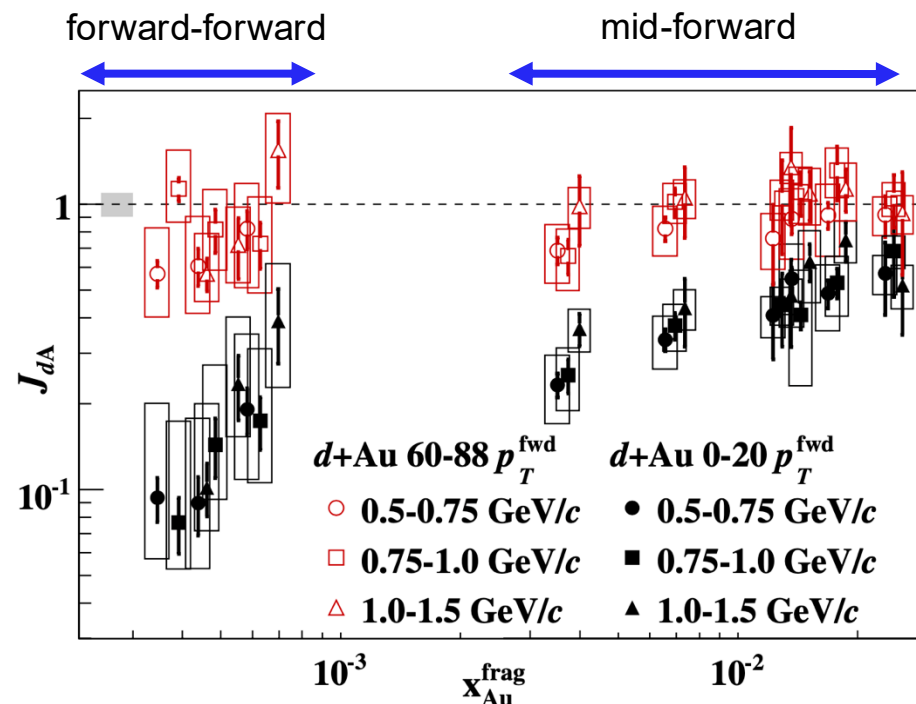
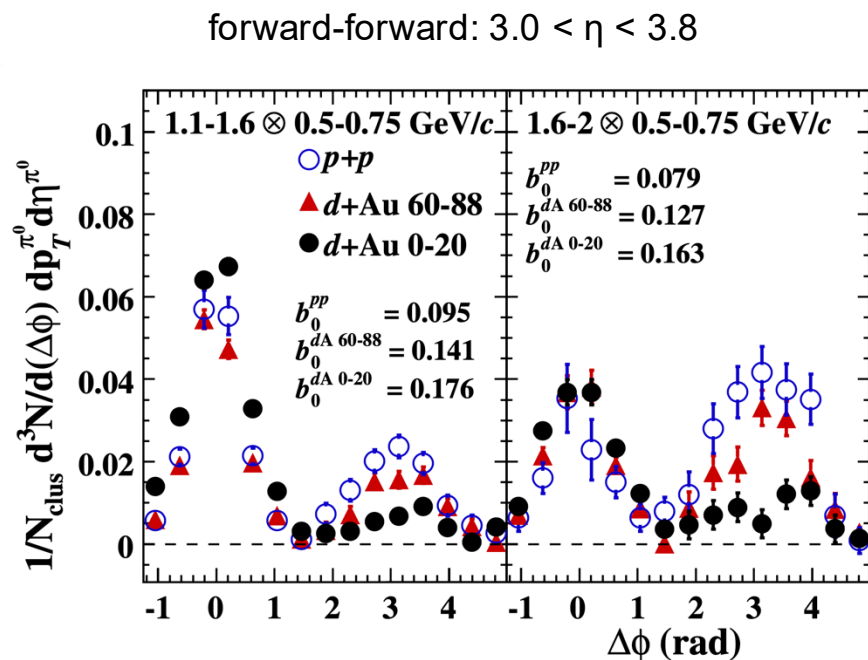


forward-forward, $3 < |\eta| < 3.8$



- Same method used to extract the area and width as STAR, with pedestal subtracted
- Suppression is observed in both cases
- **Relative width ~ 1** for mid-forward correlation; high pedestal in dA compared to the baseline pp that possibly biases the width extraction, inconclusive for fwd-fwd correlation on broadening

PHENIX pp and dAu data



$$J_{dA} = R_{dAu} \times I_{dAu}$$

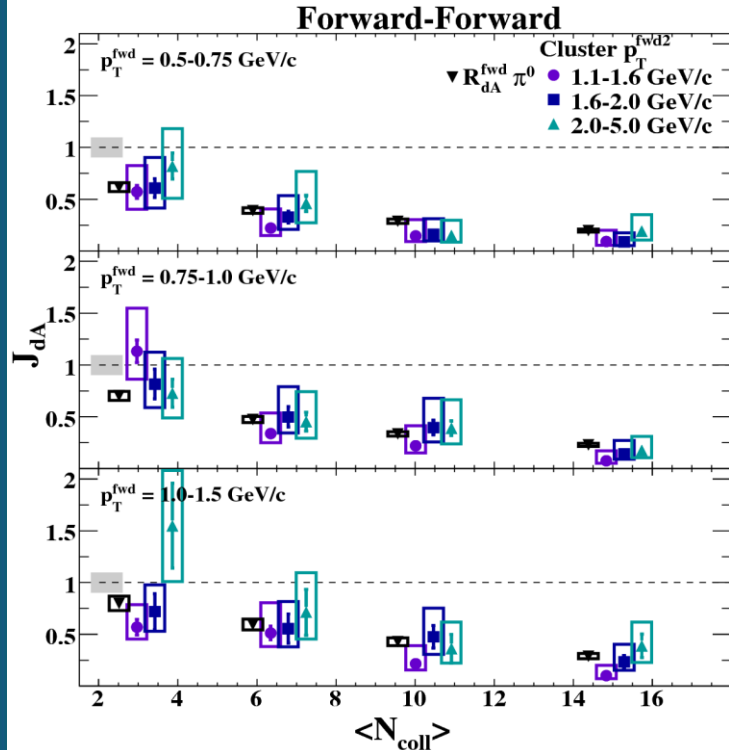
Low p_T	Pedestal ratio (central dAu/pp): 1.9
High p_T	Pedestal ratio (central dAu/pp): 2.1

I_{dAu} : area ratio dAu/pp $\rightarrow$ STAR measured

How to describe suppression?

PHENIX, PRL 107, 172301

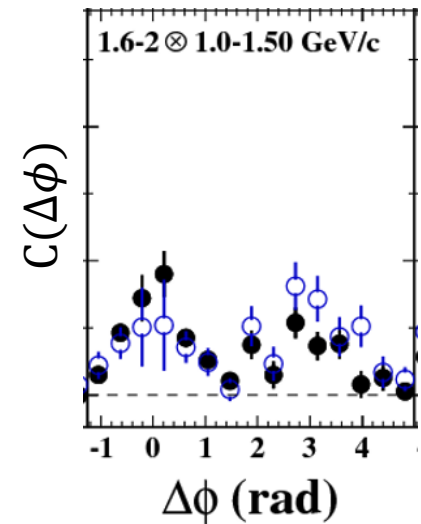
[From the analysis note](#)



$$J_{dA} = I_{dA} * R_{dAu}$$

$$I_{dA} = \text{area ratio}$$

$$R_{dAu} \sim 2/N_{\text{coll}}$$



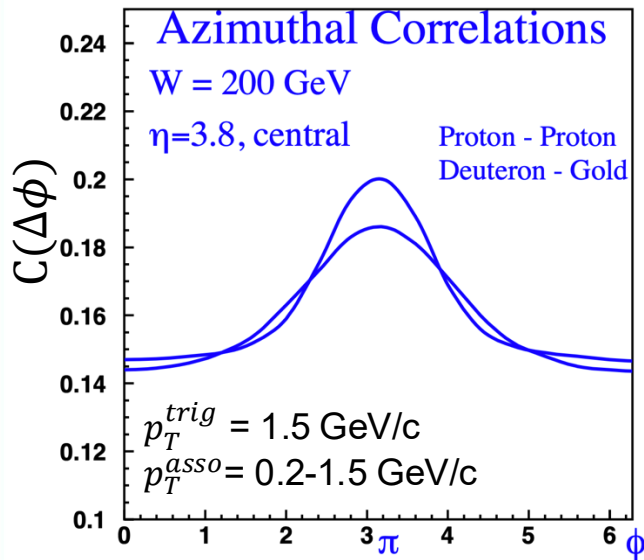
“ $J_{dAu} \rightarrow 0.1$ that “10 times suppression observed in central dAu” should be clarified

In the highest associated p_T bin (red box), overlapping with STAR kinematics, no suppression is observed

Normalization from theory (1)

$$\text{In the experiment:}$$
$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

Kharzeev, Levin, McLerran,
NPA 748, 627 (2005)



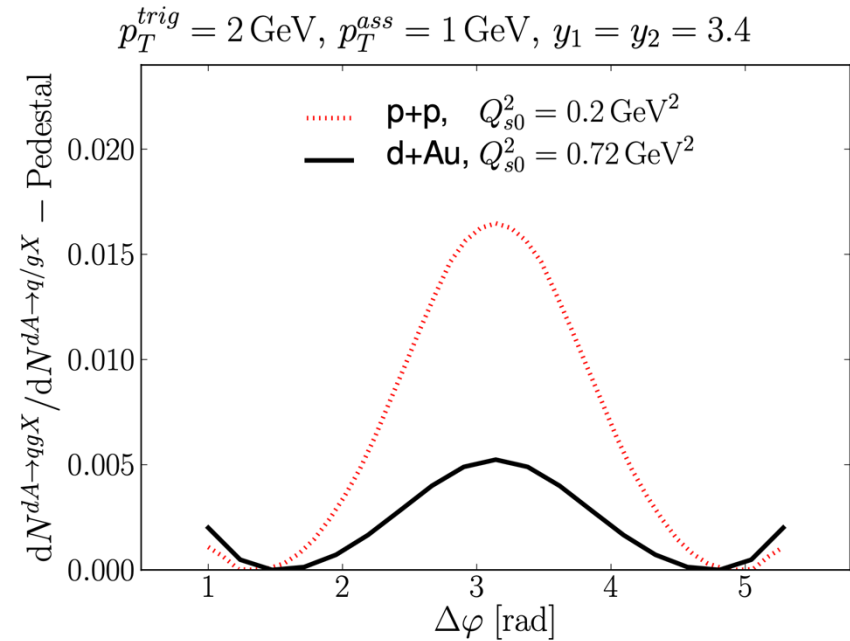
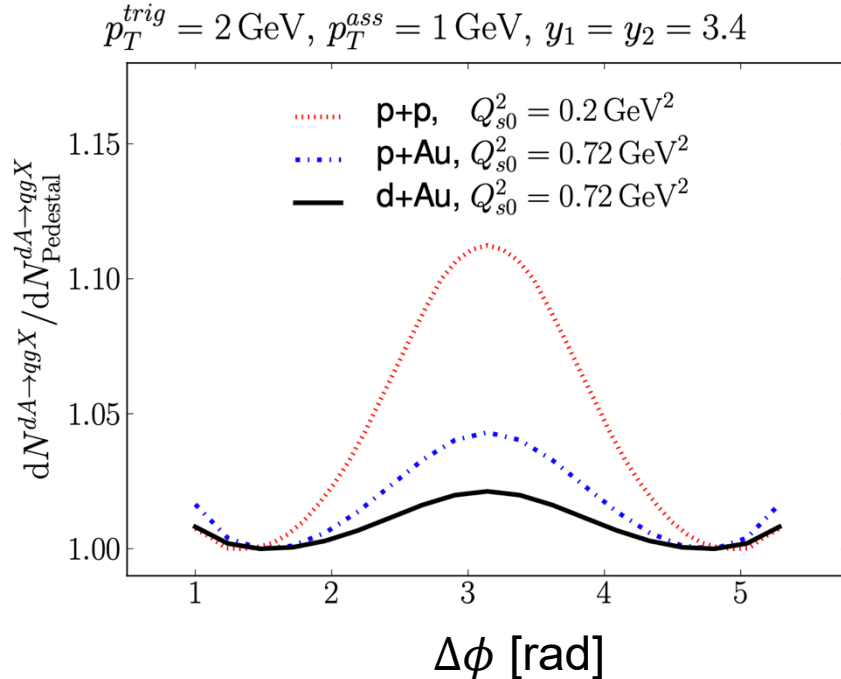
- Paper says: $\Delta\phi$ distributions normalized in a such way that the integral over azimuthal angle is equal to 1
- Normalized by N_{pair} for entire $\Delta\phi$ range $\rightarrow$ self normalization

Normalization from theory (2)

In the experiment:

$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

Lappi, Mäntysaari, NPA 908 (2013) 51-72



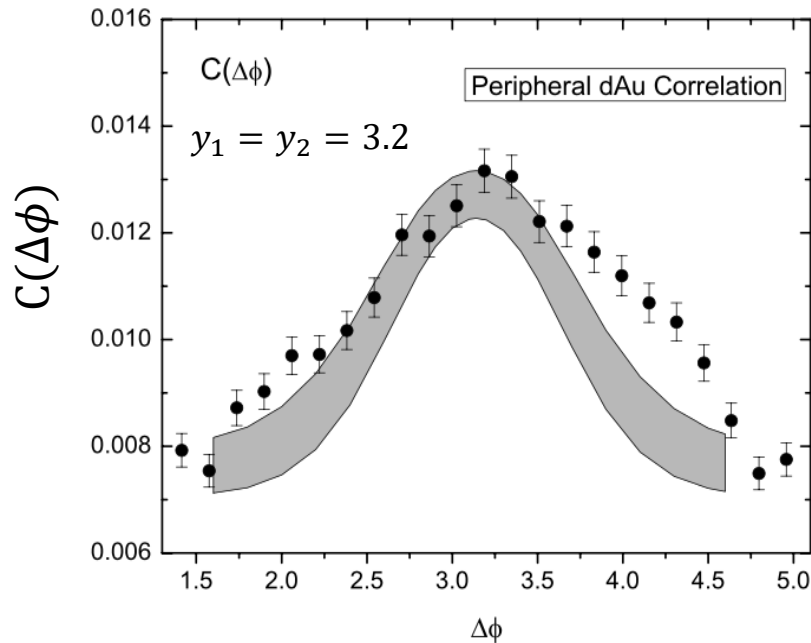
- For the first time, the pedestal is predicted, independent scattering of two partons from the probe: $f_{q_1 q_2}^p(x_{q_1}, x_{q_2}) = f_{q_1}^p(x_{q_1}) f_{q_2}^p(x_{q_2})$
- Two ways of normalizations : Left: $\frac{N_{pair}(\Delta\phi)}{N_{pair \text{ from pedestal}}}$; right: $\frac{N_{pair}(\Delta\phi)}{N_{trig}} - \text{pedestal}$

Normalization from theory (3)

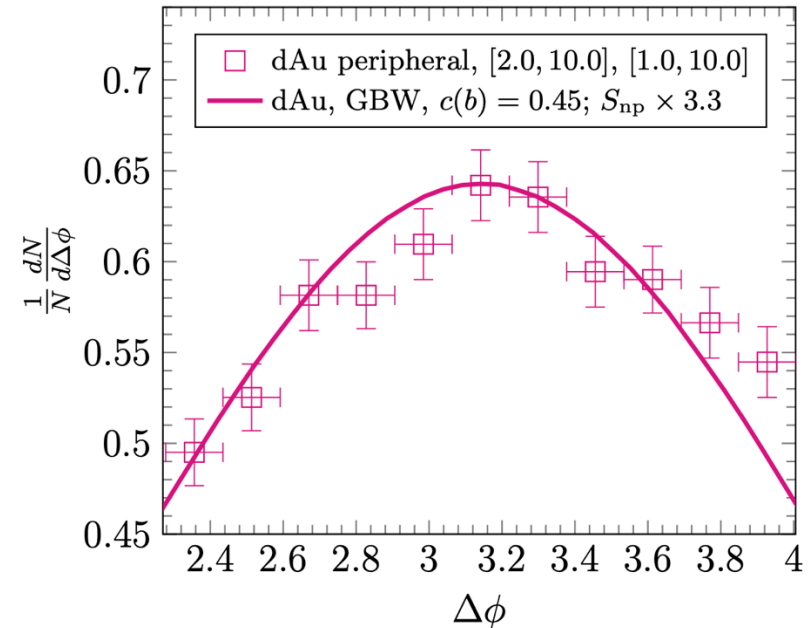
In the experiment:

$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

Stasto, Xiao, Yuan



Stasto, Wei, Xiao, Yuan



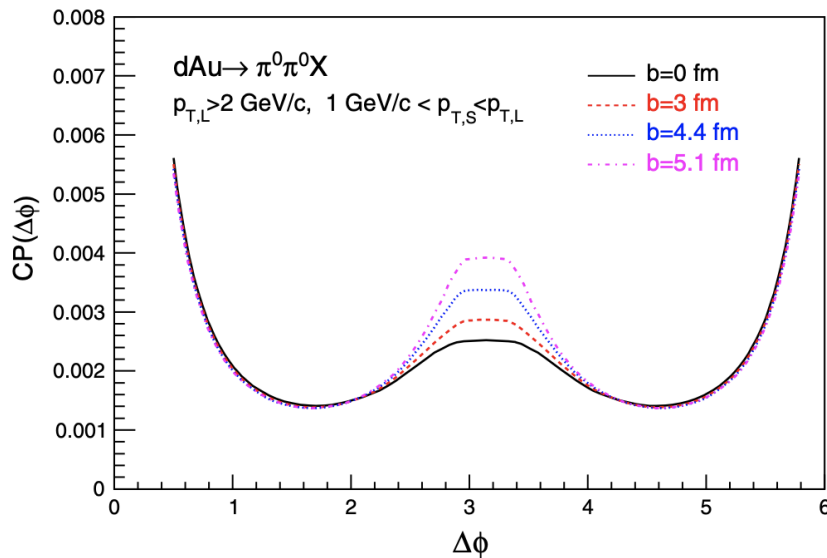
- Later paper used CGC predictions based on GBW model with Sudakov effects included
- Two ways of normalization used: correlation function normalized by N_{trig} not N_{pair}
 - PLB 716 (2012) 430-434: normalized by N_{trig} , issue with p+p normalization
 - PLB 784 (2018) 301-306: normalized by N_{pair} , issue with p+p normalization fixed

Normalization from theory (4)

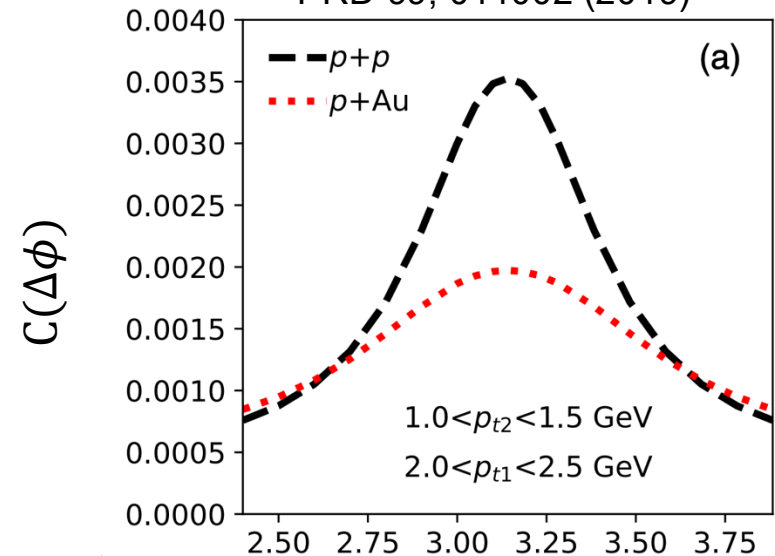
In the experiment:

$$C(\Delta\phi) = \frac{N_{pair}(\Delta\phi)}{N_{trig} \times \phi_{bin}}$$

Albacete, Marquet, PRL 105, 162301 (2010)



Albacete, Giacalone, Marquet, Matas, PRD 99, 014002 (2019)



Normalized by trigger particles yields $\rightarrow$ same as experimental measurement
Used in comparison with STAR data